

# KIEL WORKING PAPER

Management practices, competition, and multi-product firms in developing countries



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# **ABSTRACT**

# **MANAGEMENT PRACTICES, COMPETITION,** AND MULTI-PRODUCT FIRMS IN DEVELOPING **COUNTRIES**

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We study how liberalization and competition affect firms' output and product scope depending on management practices. In a model of multi-product firms, we show that firms with better management practices specialize in fewer products with lower marginal costs. The model predicts that, under increased competition, firms with better management practices are less adversely affected by competition, especially in heterogeneous sectors. Evidence from India's de-reservation policy supports these predictions. Our simulations estimate a 0.29% welfare gain in India from the policy. The same policy could increase welfare by 0.39% in an environment with better management practices, such as the US, highlighting the management practices' role in liberalization outcomes.

Keywords: management practices, multi-product firms, de-reservation policy

JEL classification: F61, D24, L25, O12

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#### 1 Introduction

Management practices play a crucial role in shaping firm behavior and economic outcomes. Especially in developing countries, poor management practices are associated with lower levels of firm productivity and welfare (Bloom et al., 2010). This can be seen in Figure 1, which shows a strong correlation between management practices and labor productivity levels across countries. Furthermore, in recent decades, developing countries underwent large-scale trade liberalization episodes and economic reforms, which intensified competition. The rise in competition might affect firms with different management practices differently. This is especially true in the case of multi-product firms due to the within-firm adjustments. In India, a major developing country, multi-product firms account for 47% of all manufacturing firms and 80% of manufacturing output (Goldberg et al., 2010b). Given the relevance of multi-product firms, it is important to understand how these firms adjust their strategies, particularly their output and product scopes, which provides valuable insights to assess the aggregate effects of these reforms.

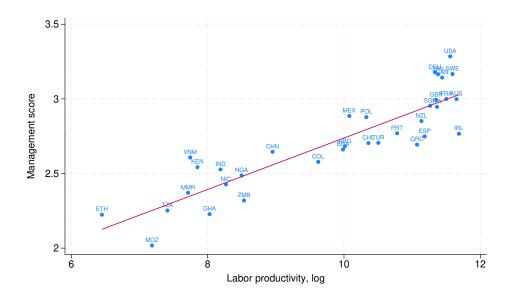


Figure 1: Management practices and labor productivity across countries.

Note: Data on the average management score is from Bloom et al. (2014). Labor productivity is measured as GDP per employment (in 2010 constant dollars) from the Aggregate and Sectoral Productivity Data, the World Bank. Both measures are averages from 2004 to 2015.

This paper explores the role of management practices in multi-product firms' response to an increase in competition, and how they shape the aggregate effects of economic reforms. We think of management practices as a technology or knowledge that influences the efficiency with which the organizational capital (a collection of business processes, systems, and a distinct corporate culture) is used within the firm. Specifically, we examine how the de-reservation policy in India, a process of lifting restrictions that previously reserved certain product markets for small-scale enterprises, affects firms' output and product scope differently depending on their management practices. And how this, in turn, changes the aggregate welfare effects of the policy.

Motivated by the empirical facts on the effects of the de-reservation policy in India, we develop a theoretical model that integrates management practices into a model of multi-product firms. Our model allows us to analyze the role of management practices in firms' output and product scope adjustments after an increase in competition. We bring the model predictions to the data using India's Annual Survey of Industries (ASI), a firm-level panel data from 2000 to 2008. We exploit the exogenous de-reservation of individual products over time for identification. Finally, we estimate the model parameters and simulate the welfare gains of the de-reservation policy and how these gains interact with the aggregate level of management practices.

In the model, firms are heterogeneous in their endowment of organizational capital and their management practices. According to Lev and Radhakrishnan (2005), organizational capital relates to (i) the operating capabilities (e.g., product design, just-in-time inventory, outsourcing, marketing technologies), (ii) investment capabilities (e.g., project selection, personnel training), and (iii) innovation capabilities (e.g., R&D, adaptive capacity, knowledge sharing, intellectual property use) of a firm. Examples include Wal-Mart's supply chain, where the reading of barcodes at the checkout is directly transmitted to suppliers, Toyota with its just-in-time production processes, or Dell's build-to-order system that allows customers to design their own products. As Nocke and Yeaple (2014), we assume that the more organizational capital is used for the production of a given product, the lower its marginal cost.

Management practices govern how effective organizational capital is in decreasing the firm's marginal cost. Firms endogenously choose which products to produce and how to allocate their limited supply of organizational capital across products. The restricted supply of organizational capital causes firms with higher management practices to choose to specialize in a smaller range of products with lower marginal costs. The main result of the model is that firms with higher management practices are less adversely affected

<sup>&</sup>lt;sup>1</sup>While the ASI samples establishments, we refer to them as firms throughout the paper.

by an increase in competition. The specific mechanism behind this result is that firms with better management practices specialize in producing fewer products with higher productivity. As their sales are concentrated in their better-performing products, an increase in competition causes a smaller decrease in their output and product scope. Furthermore, the model predicts that this mechanism is more relevant in sectors with larger product heterogeneity. This is because it relies on firms being able to specialize in their most productive products.

We exploit the exogenous timing of the de-reservation policy in India in a difference-in-differences framework to test the model predictions. Starting from 1967, over 1,000 products were reserved for exclusive production by small-scale enterprises. The main rationale for the reservation policy was to protect employment levels in the small-scale sector. Following trade liberalization in the 1990s, the government announced the de-reservation policy, which commenced in 1997, with the large-scale de-reservation happening from 2002 to 2008.

Our results show that following the de-reservation of an incumbent firm's main product, which signals an exogenous increase in competition, it decreased its output and product scope. However, these negative effects are decreasing in firms' management practices: firms in the third quintile of management practices experienced close to no effect, while firms in the last quintile decreased their output by 33%. Incumbent firms with higher-than-average management practices even managed to increase their output after their main product was de-reserved. Our empirical results also show support for the model's mechanism, with stronger effects in sectors with larger product heterogeneity.

Finally, we assess the importance of management practices on the aggregate welfare effect of economic reforms. To do so, we estimate the model parameters for each manufacturing sector using the Simulated Method of Moments and the ASI. We then explore different scenarios in which we simulate the de-reservation policy and changes in the aggregate levels of management practices. Our estimations show a 0.29% welfare gain of the de-reservation policy in India. However, the same policy in an environment with higher management practices, such as the US, would lead to a 0.39% welfare gain, a 36% relative increase. We quantify the importance of good management practices by shifting the aggregate level of management practices in India to match those of the US. The welfare gains in this case would be 82.26%, orders of magnitude larger than the

de-reservation policy, which highlights the importance of policies focused on improving the management practices in developing countries.

This paper contributes to two strands in the literature. First, we contribute to the literature on the effects of trade liberalization (Pavcnik, 2002; Bustos, 2011; Topalova and Khandelwal, 2011; Nataraj, 2011; Bas, 2012; Fan et al., 2015; Chen et al., 2017; Shu and Steinwender, 2019). Specifically, we consider multi-product firms and focus on product scope adjustment of multi-product firms following trade liberalization (De Loecker, 2011). Theoretical models suggest that as trade barriers decrease and market competition intensifies, firms become "leaner and meaner" by reducing their product range (Eckel and Neary, 2010; Mayer et al., 2014). Bernard et al. (2011) document that tariff reductions under the Canada–U.S. Free Trade Agreement cause U.S. firms to reduce the number of products. Iacovone and Javorcik (2010) find significant product churning among Mexican manufacturing firms in response to NAFTA. However, the extent of these adjustments varies depending on firms' engagement in foreign markets (Lopresti, 2016) as well as differences in size and productivity distribution (Forslid and Okubo, 2023). In India, while reductions in output tariffs show no significant impact on the product scope of manufacturing firms, a decline in input tariffs explains 31% of newly introduced products (Goldberg et al., 2010a,b).

We depart from this literature by focusing specifically on how product-level shocks affect a firm's product scope decisions. Macedoni et al. (2024) highlight that product-specific demand and competition significantly influence the production decisions of multi-product firms. While Martin et al. (2017) also investigates product-level shocks, their focus is on aggregate firm outcomes, analyzing how the removal of product market restrictions impacted a firm's employment, output, and productivity.

Second, we contribute to the literature on firms' management practices. Bloom et al. (2013) show that a quarter of cross-country and within-country total factor productivity (TFP) gaps can be accounted for by management practices. The literature has shown that these management practices matter for firm performance, and that there are still significant differences in adopted management practices between developed and developing countries (Bloom and Van Reenen, 2010; Bloom et al., 2010; Caselli and Gennaioli, 2013; McKenzie and Woodruff, 2017). Bloom et al. (2012) show that, among manufacturing firms, American, Japanese, and German firms are the best managed, whereas firms

in developing countries, such as Brazil, China, and India, tend to be poorly managed. Providing free consulting on management practices, Bloom et al. (2013) shows that the productivity of Indian textile firms has increased by 17%. The effect appears to be long-lasting but decreases significantly with managerial turnover (Bloom et al., 2020). We contribute to this literature by showing how weak management practices can limit the welfare gains of economic reforms in developing countries. Furthermore, guided by our theoretical model, we use balance sheet data to construct a novel firm-level measure of management practices.

When considering the mechanism at play, the paper most closely related to our work is by Qiu and Yu (2020). In their model, the authors incorporate the cost of management to estimate the heterogeneous effects of market competition on firms' product scope based on the firm's managerial efficiency. They show that the effect of foreign tariff cuts depends on a firm's managerial efficiency: efficient firms will expand their export product scope, whereas firms with lower managerial efficiency will decrease the number of exported products as a result of increased competition in the foreign market. There are several important differences between our work and theirs. First, we examine product-specific shocks rather than firm shocks, which allows us to exploit variation across products. Second, we use a structural measure of management practices that takes into account the firm's decision on product scope, as opposed to their reduced form approach. Finally, we go beyond empirically estimating the firm-level effects and simulate the importance of the mechanism for aggregate welfare effects.

The remainder of this paper is structured as follows. Section 2 provides some background on the de-reservation policy. Section 3 introduces the data and shows empirical regularities related to the de-reservation policy. Section 4 introduces the theoretical model. Section 5 develops the empirical strategy used to test the model predictions. Section 6 presents the empirical results. Section 7 puts our results into a quantitative exercise and explores the importance of our mechanism for welfare effects. Section 8 concludes.

# 2 Background on de-reservation policy

Since the 1950s, India has focused on developing its small-scale industry (SSI) sector, which accounts for nearly 40% of the gross industrial value added and stands as the

second-largest employer after agriculture.<sup>2</sup> The government believed that SSIs would generate employment and thus absorb surplus labor in the economy (Mohan, 2002). As stated by the Ministry of Micro, Small and Medium enterprises: "The main rationale for reservation of items for exclusive production in the SSI sector were the feasibility of producing an item in the SSI Sector without compromising on quality; level of employment generation, diffusion of entrepreneurial talent and prevention of economic concentration".<sup>3</sup> Starting in 1967, the government introduced the reservation policy, under which certain products were exclusively reserved for production by SSIs. Initially, only 47 products were reserved, but by 1996 the number had increased to more than a thousand (Martin et al., 2017). Hussain (1997) and Mohan (2002) note that the reserved products were chosen arbitrarily, with no particular selection criterion other than the ability of SSIs to manufacture such items.

SSIs were initially defined as industrial enterprises with fixed assets not exceeding Rs. 500,000 and fewer than 50 employees. Over time, the employment requirement was removed, and the investment ceiling was raised. By 1999, industrial units with plant and machinery worth up to Rs. 10 million were classified as SSIs. The larger firms already manufacturing the reserved products were allowed to continue, but their output was capped.

Although India began liberalizing its economy in 1991 as part of an IMF adjustment program, the reservation policy remained in place until the late 1990s. Following trade liberalization, SSIs faced competition from imported goods, and larger companies present in the reserved product market were able to exercise monopoly power as most other producers were small. In addition, increasing consumer demand for quality products and continuous technological advances made it difficult for SSIs to produce many items efficiently. Therefore, the Advisory Board appointed a special committee to review the reservation list (Hussain, 1997). The main criteria, based on which de-reservation was recommended, among others, are (i) the feasibility of manufacturing quality products by SSI, (ii) the necessity for higher R&D investments as new products emerged on the market, (iii) safety and hygiene considerations, (iv) export potential, and (v) better utilization of

<sup>&</sup>lt;sup>2</sup>Development Commissioner, Ministry of Micro, Small, and Medium Enterprises, India (2018). Available at http://www.dcmsme.gov.in/publications/reserveditems/resvex.htm. Accessed on: 10.07.2024

 $<sup>^3</sup>$ Available at: https://dcmsme.gov.in/publications/reserveditems/itemrese.htm#list. Accessed on: 28.11.2024

available resources.

250 - 200 - 200 - 200 - 2015 - 2010 - 2015

Figure 2: Number of newly de-reserved products at a given time.

Note: Data on de-reserved products from Martin et al. (2017).

Product de-reservation commenced in 1997 with 15 products being de-reserved. Large-scale de-reservation began in 2002 with 51 products and continued through 2008 when 225 products were de-reserved. Between 2000 and 2008, 999 products, or 96% were de-reserved. The last 20 products were de-reserved in 2015. Figure 2 plots the total number of de-reserved products over time.

There is considerable industry-wise heterogeneity in the number of de-reserved products. Figure 3 shows that the leather industry has the highest share of de-reserved products relative to the total number of products produced, followed by the chemicals and pharmaceutics industry. On the contrary, computing machinery and the manufacturing of coke and refined petroleum products have the lowest share of de-reserved products.<sup>4</sup>

# 3 Empirical facts

**Data -** For our analysis, we use panel data on manufacturing establishments in India from the Annual Survey of Industries (ASI), collected by the Ministry of Statistics and Program Implementation of the Government of India. The ASI is the main source of industrial statistics on the formal manufacturing sector and consists of two parts: (i) a

<sup>&</sup>lt;sup>4</sup>Appendix Figure A.1 presents the total number of de-reserved products by industry.

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Figure 3: Share of de-reserved products by industry.

Note: Data on de-reserved products from Martin et al. (2017). 2-digit industry is defined according to the National Industrial Classification 1998.

census of all manufacturing establishments that employ more than 100 workers, and (ii) a random sample of establishments that employ between 20 and 100 workers (between 10 and 100 workers for establishments that use power). Note that while the ASI samples establishments, we refer to them as firms throughout the paper. Because the ASI sampling methodology and product classification have changed multiple times, we follow Boehm et al. (2022) and focus on the time period between 2000 and 2008 to ensure consistency in product codes.

The ASI has two unique features that make it particularly suitable for our analysis. First, firms are required to report the revenue and quantities of products manufactured and intermediate inputs at the product level. Product codes are reported using the ASI Commodity Codes (ASICC) at the 5-digit level. Examples of products include wooden chairs (ASICC 51207), harvesters (ASICC 76115), knitted fabrics (ASICC 63323), etc. To map the ASICC codes to the de-reserved products, we follow the concordance created by Martin et al. (2017). Second, the ASI has a larger coverage of manufacturing firms relative to another widely used dataset for India, the Prowess database. Furthermore, Prowess focuses mostly on larger firms, making it not well-suited to study policies that affect small-scale firms.

Besides product-level information, the ASI reports standard performance indicators, such as output, the number of employees, and industry. We deflate output by the wholesale price index (WPI) for the appropriate product category, capital by the WPI for plant and

machinery, and wages by the consumer price index. Industry is defined according to the National Industrial Classification (NIC), with 1998 as the base year.

**Empirical strategy -** We proceed by documenting novel stylized facts on the effects of the de-reservation policy on Indian firms. As shown in the literature, after products were de-reserved, larger and more productive firms started producing these products as well (Martin et al., 2017), which resulted in an increase in the supply of these products and a drop in their price (Boehm et al., 2023). We provide further evidence on the rise of competition for firms in the de-reserved products market and the response of small incumbent firms in terms of their product scope.

For identification, we use a difference-in-differences approach, comparing the period before and after the de-reservation. As the reservation policy was product-specific, we assign firms to products based on their main product, i.e., their product with the largest output in a given year. Moreover, as in Martin et al. (2017), we decompose the effect for incumbents and entrants. Specifically, throughout the paper, we classify a firm i as an incumbent if its main product was a reserved product before it became de-reserved. Analogously, we define a firm i as an entrant if its main product was a reserved product after de-reservation, but was never produced before it became de-reserved.

Fact 1: Competition increased in de-reserved products - In our first fact, we show that competition increased in de-reserved products. For this, we show that de-reservation spurred the entry of firms into the de-reserved products. We estimate the following two equations to look at product entry:

$$Added_{ijt} = \alpha + \beta Post_{it} + \delta Post_{it} \times Reserved_j + \phi_j + \eta_i + \tau_t + \varepsilon_{it}$$
(1)

$$Addedijt = \alpha + \beta_1 Incumbent_i \times Post_{it} + \beta_2 Entrant_i \times Post_{ijt}$$

$$+ \delta_1 Incumbent_i \times Post_{it} \times Reserved_j + \delta_2 Entrant_i \times Post_{it} \times Reserved_j$$

$$+ Entry Year_i \times \tau_t + \phi_i + \eta_i + \tau_t + \varepsilon_{ijt}$$

$$(2)$$

where  $Added_{ijt}$  is a dummy variable taking the value of one if a product j is added by firm i at time t.  $Post_{it}$  is a dummy variable switching to 1 when a firm's main reserved product has been de-reserved.  $Reserved_j$  is a binary indicator variable that equals 1 if the product has ever been reserved. We add three set of fixed effects:  $\phi_j$  are product

fixed effects that absorb time-invariant product-specific characteristics,  $\eta_i$  are firm fixed effects that absorb firm-specific time-invariant differences and allow us to interpret the results as within-firm changes, and  $\tau_t$  are time fixed effects that absorb a time-specific shocks common to all firms. Standard errors are clustered at the firm level. Equation (1) is estimated on the pooled sample of all firms, whereas equation (2) differentiates between entrant and incumbent firms.  $Incumbent_i$  and  $Entrant_i$  are dummy variables as indicated above.

To address the concern that firms that entered a new product may be fundamentally different from those firms that did not, we control for the interaction term between the first year when a firm switched its main product,  $EntryYear_i$ , and time dummies. This creates non-parametric, time-varying controls that absorb any unobserved characteristics that could potentially explain a firm's decision to switch to a new product space each year. Incumbent firms produce, on average, 2.15 products, with a median incumbent firm producing 1 product. A median entrant, in contrast, produces 2 products.

Estimation results are presented in Table 1. Panel A reports regression results from equation (1), while Panel B differentiates between incumbents and entrants. Results in Column (1) show that firms are less likely to add products following the de-reservation of their main product, on average. This is in line with the existing literature, showing that increased competition encourages multi-product firms to become "leaner and meaner" and focus on core products (Eckel and Neary, 2010). In Column (2), we show that firms are significantly less likely to add products that were reserved following the de-reservation of their main product. This result is robust to including firm-year fixed effects in Column (3). Looking at incumbents and entrants in Panel B, we observe that this negative effect is driven by incumbents, whereas entrants are more likely to add products that were reserved. Hence, after the de-reservation, entrants are significantly more likely to enter products that were reserved, while incumbents, faced with tougher competition, became less likely to add products that were reserved. This results in changes in the product entry decision for both incumbents and entrants.

Given that our identification strategy exploits the differential timing in the dereservation policy, a potential concern that arises is whether de-reserved products were strategically chosen based on their market potential. The appointed committee named export potential and higher R&D requirements as criteria based on which the de-reservation

Table 1: Stylized facts at the product-level.

-	(1)	(2)	(3)
	` /	$Added_{ijt}$	` /
Panel A:			
$Post_{it}$	$-0.015^{**}$ $(0.007)$	0.010 $(0.007)$	
$Post_{it} \times reserved_j$		-0.070*** (0.010)	-0.061*** (0.013)
Panel B:			
$Incumbent_i \times Post_{it}$	$-0.027^{***}$ $(0.007)$	0.004 $(0.008)$	
$Entrant_i \times Post_{it}$	0.072*** (0.016)		
$Incumbent_i \times Post_{it} \times reserved_j$		-0.080***	-0.074***
		(0.011)	(0.015)
$Entrant_i \times Post_{it} \times reserved_i$		0.042***	$0.035^{*}$
,		(0.016)	(0.019)
N	186120	186120	147809
R-squared	0.421	0.422	0.517
i	$\checkmark$	$\checkmark$	
j	$\checkmark$	$\checkmark$	$\checkmark$
t	$\checkmark$	$\checkmark$	
$i \times t$			✓

Standard errors in parentheses

Note: The table reports firm-product-level regressions specified in equations (1) and (2). The outcome variable is a binary indicator taking the value of one when the product j is added by firm i at time t.  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved.  $Reserved_j$  is a dummy indicator for whether or not the product j is reserved. Columns (1) and (2) include firm, product, and year fixed effects. Column (3) includes product and firm-year fixed effects. Standard errors are clustered at the firm level.

policy was implemented. Hence, it is possible that the product market for earlier dereserved products was trending in a systematically different way relative to later de-reserved and non-reserved products. This may lead to a violation of the parallel trends assumption. To account for that, we create an event-time variable that captures all periods before and after de-reservation. Thus, the variable takes the value of -1 one period before de-reservation, 0 in the year of de-reservation, 1 in the following year, and so on. This variable is set to zero for firms that do not produce a reserved product. In this way, we can control for any pre-existing linear trends in product markets. Results in Appendix

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table B.1 show that our estimates remain practically unchanged when controlling for the event-time trend.

In addition to firm entry into products, we also show that when a product was dereserved, the total number of firms producing the product increased, which is another indicator of an increase in competition. For that, we calculate the total number of firms producing a specific product in a given year, as well as the number of incumbent firms and entrant firms producing a given product in a given year. Because firms do not produce all products in all years, resulting in the presence of zeros in the dataset, we apply the inverse hyperbolic sine (arcsinh) transformation. This transformation approximates the natural logarithm while preserving zeros in the data (Bellemare and Wichman, 2020). Results presented in Table 2 show that following the de-reservation, the number of firms producing a given product has increased by 13.6%. Decomposing this effect into entrants and incumbents, we see that the number of firms producing a product before de-reservation has declined, whereas there is a statistically significant increase in the number of firms that produce a product after it was de-reserved.

Table 2: Number of firms at the product-level.

	(1)	(2)	(3)
	$\#Firms_{jt}$	$\#IncumbentFirms_{jt}$	$\#EntrantFirms_{jt}$
$Post_{jt}$	0.136**	-0.810***	4.562***
	(0.055)	(0.173)	(0.437)
N	29540	29540	29540
R-squared	0.009	0.039	0.470
j,t	$\checkmark$	$\checkmark$	$\checkmark$

Standard errors in parentheses

Note: The table reports product-level regressions of the number of firms producing a given product on the de-reservation indicator. The outcome variables are transformed using the inverse hyperbolic sine (arcsinh) transformation.  $\#IncumbentFirms_{jt}$  is the number of firms that produce a given product before it was de-reserved.  $\#EntrantFirms_{jt}$  is the number of firms producing a given product after it was de-reserved.  $Post_{jt}$  is a binary indicator taking the value of one when a product j is de-reserved at time t. Standard errors are clustered at the product level.

Fact 2: Entrants increase output and product scope, whereas incumbents decrease it - Next, we proceed by looking at changes in output and product scope at

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

the firm level. We estimate the following regression equations:

$$Y_{it} = \alpha + \beta_1 Post_{it} + \eta_i + \tau_t + \varepsilon_{it}$$
(3)

$$Y_{it} = \alpha + \beta_1 Incumbent_i \times Post_{it} + \beta_2 Entrant_i \times Post_{it}$$

$$+ Entry Year_i \times \tau_t + \eta_i + \tau_t + \varepsilon_{it}$$

$$(4)$$

where  $Y_{it}$  is the log of total output or the log number of products. All other variables are defined as above.

Results of the regressions (3) and (4), presented in Table 3, show that, on average, the total output has increased significantly after de-reservation by 2.3%. This effect is driven by a 23% increase in total output for entrants, whereas there is no statistically significant effect for incumbents.

Looking at the number of products, we document that firms produce 1.2% fewer products after de-reservation. This is consistent with the literature on competition and product choice of multi-product firms (Mayer et al., 2014; Tewari and Wilde, 2019). The aggregate effect masks substantial heterogeneity when looking at incumbents and entrants. Whereas the number of products produced by incumbents decreases significantly after de-reservation, entrants produce 12% more products, on average. This is consistent with previous findings that entrants are more likely to add a reserved product after de-reservation. These results are robust to controlling for an event-trend as presented in Appendix Table B.2.

Fact 3: Better managed firms are less negatively affected by increased competition - We use the average management practices score from the World Management Survey (WMS) constructed by Bloom et al. (2012), which is a measure of management quality widely used in the literature, to identify the heterogeneous effects of de-reservation policy based on management practices. This is an interview-based measure ranging between 1 (worst practices) to 5 (best practices) across 18 key management practices such as monitoring, setting targets, and providing incentives within the firm. To link the WMS data with the ASI, we construct bins of 2-digit industry and employment categories for (i) 50-100, (ii) 101-250, (iii) 251-500, (iv) 501-1000, and (v) 1000+ employees. We estimate

Table 3: Stylized facts at the firm-level.

	(1)	(2)
	$ln(output_{it})$	$ln(\#products_{it})$
Panel A:		
$Post_{it}$	$0.023^{*}$	-0.012**
	(0.012)	(0.006)
Panel B:		
$Incumbent_i \times Post_{it}$	-0.019	-0.033***
	(0.013)	(0.006)
$Entrant_i \times Post_{it}$	0.230***	0.116***
	(0.032)	(0.016)
N	234012	201733
R-squared	0.930	0.819
i, t	✓	✓

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equations (3) and (4). The outcome variable is the log of output by firm i at time t, and the log number of products.  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) and (2) include firm and year fixed effects. Standard errors are clustered at the firm level.

the following two regression equations:

$$Y_{it} = \alpha + \beta_1 Post_{it} + \beta_2 MPS_{ist} + \beta_3 Post_{it} \times + \eta_i + \tau_t + \varepsilon_{it}$$
(5)

$$Y_{it} = \alpha + \delta_1 Incumbent_i \times Post_{it} + \delta_2 Entrant_i \times Post_{it} + \delta_3 MPS_{ist}$$

$$+ \delta_4 Incumbent_i \times Post_{it} \times MPS_{ist} + \delta_5 Incumbent_i \times Post_{it} \times MPS_{ist}$$

$$+ Entry Year_i \times \tau_t + \eta_i + \tau_t + \varepsilon_{it}$$

$$(6)$$

where  $MPS_{ist}$  is the average management practices score of firm i in sector s at time t.  $Y_{it}$  is the total output or the log number of products. All other variables are defined as above. Standard errors are clustered at the level of the treatment, the firm.

Results in Table 4 show that firms with better management practices experience significant increases in output after de-reservation relative to firms with poorer management practices. Column (2) reveals that this applies to both incumbents and entrants. The effect, though, disappears when looking at the number of products as an outcome in Columns (3) and (4). We interpret this as evidence of the existence of heterogeneous responses of firms to increased competition based on their management practices.

The three facts presented in this section point to (i) an increase in competition after

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table 4: The effects of de-reservation using the management practices score (MPS) from Bloom et al. (2012).

	(1) ln(output)	(2) ln(output)	$(3) \\ \ln(\# \text{ products})$	(4) ln(# products)
$Post_{it}$	-0.201** (0.094)	<u> </u>	0.018 (0.054)	
$MPS_{ist}$	0.376*** (0.022)	0.372*** (0.021)	0.026*** (0.010)	0.028*** (0.010)
$Post_{it} \times MPS_{ist}$	$0.105^{***} (0.035)$		-0.012 (0.020)	
$Incumbent_i \times Post_{it}$		-0.283*** (0.105)		-0.000 $(0.065)$
$Incumbent_i \times Post_{it} \times MPS_{ist}$		0.115*** (0.040)		-0.012 $(0.025)$
$Entrant_i \times Post_{it}$		-0.063 $(0.227)$		0.264*** (0.097)
$Entrant_i \times Post_{it} \times MPS_{ist}$		0.170** (0.085)		-0.050 $(0.037)$
N	97720	97720	86397	86397
R-squared $i, t$	0.930 ✓	0.930 ✓	0.827 ✓	0.828 ✓

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equations (5) and (??). The outcome variable is the log of output in columns (1) and (2) and the log number of products in columns (3) and (4).  $MPS_{ist}$  is the average management score of firm i in sector s at time t defined from Bloom et al. (2012).  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) to (4) include firm and year fixed effects. Standard errors are clustered at the firm level.

de-reservation, (ii) a negative effect of de-reservation on incumbent firms, and (iii) a heterogeneous effect of de-reservation depending on management practices. However, these facts are just indicative evidence and not informative about the specific mechanism at play. To solve these shortcomings, we develop in the next section a theoretical model to study the effect that the de-reservation policy had on the affected firms. The model will allow us to derive a firm-level measure of management practices and to study the mechanism behind the heterogeneous effects.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

## 4 Model

This section develops a partial equilibrium model with multi-product firms in multiple sectors.<sup>5</sup>

Consumers - The economy is populated by a continuum of L consumers with preferences given by the following utility function:

$$U_t = \sum_s \kappa_s \log U_{st} \tag{7}$$

$$U_{st} = \left( \int_{i \in \Lambda_s} \int_{j \in \Omega_{is}} q_{isjt}^{\frac{\sigma - 1}{\sigma}} dj di \right)^{\frac{\sigma}{\sigma - 1}}$$
(8)

where s denotes sectors, i denotes firms, and j denotes products.  $\Lambda_s$  is the set of firms active in sector s and  $\Omega_{is}$  is the set of products produced by the firm i in sector s.  $\sigma$  is the elasticity of substitution between any two products within a sector. We assume  $\sigma > 1$  and  $\sum_s \kappa_s = 1$ .

In what follows, we focus on just one sector. From the consumer's utility maximization problem, the optimal aggregated demand for each product is:

$$q_{isjt} = \kappa_s E_t P_{st}^{\sigma - 1} p_{isjt}^{-\sigma} \tag{9}$$

where  $q_{isjt}$  and  $p_{isjt}$  are, respectively, the quantity and price of product j from firm i,  $E_t$  is total expenditure, and  $P_{st} = \left(\int_{i \in \Lambda_s} \int_{j \in \Omega_{is}} p_{isjt}^{1-\sigma} dj di\right)^{\frac{1}{1-\sigma}}$  is the sector price index.

**Firms -** An exogenous number of firms are active in each sector, with firms only being able to produce the products in their respective sectors. Each firm possesses an exogenous amount of organizational capital, which is fixed over time.

We assume that organizational capital can be used to decrease a firm's marginal costs. Specifically, we refer to organizational capital as the collection of business processes, systems, and a distinct corporate culture that enables a firm to transform production inputs into output more efficiently (Lev et al., 2009). In practice, it is classified as an intangible asset and is considered a major production factor (Brynjolfsson et al., 2002).

<sup>&</sup>lt;sup>5</sup>The model is in partial equilibrium because it abstracts from wages, and the number of firms is exogenous. However, we allow the price index to adjust when simulating the model in section 7.

<sup>&</sup>lt;sup>6</sup>Section 5.1 describes how we measure organization capital in the data.

Hasan et al. (2018) and Carlin et al. (2012) argue that acquiring organizational capital necessitates a significant investment of time, as it relies on the accumulation of learning and experience, such as employee training or investments into R&D. Consequently, it is not feasible to achieve substantial improvements in organizational capital within a short time horizon and, for simplicity, we consider organizational capital to be fixed over time in our model.

A valid concern when bringing the model to the data is that firms might have adjusted their organizational capital in response to the de-reservation policy. To test whether this is the case, we regress the changes in organizational capital on the de-reservation indicator. Results reported in Appendix Table B.3 show that the de-reservation policy has no significant effect on changes in organizational capital. The point estimate is precisely zero, which substantiates our assumption that firms' organizational capital is exogenous, at least in the short run.

The firm faces the following constraint when allocating organizational capital across products:

$$\int_{j\in\Omega_{is}} o_{isjt} dj \le \mathcal{O}_i,\tag{10}$$

where  $o_{isjt}$  is the organizational capital allocated by firm i to produce product j and  $\mathcal{O}_i$  is the total organizational capital available to firm i.

Firms also possess an exogenous firm-level productivity, randomly drawn from a distribution F(Z). We allow firm-level productivity to change over time through unexpected, independent, and identically distributed shocks. Moreover, firms receive time-invariant productivity draws for all products from a Pareto distribution  $G(z) = 1 - z^{-\gamma_s}$  with  $\gamma_s > \sigma - 1 \,\forall s$ . The marginal cost of a firm i producing a product j is:

$$c_{isjt} = \frac{1}{Z_{it} z_{isj} o_{isjt}^{\theta_i}} \tag{11}$$

where  $Z_{it}$  is the firm-level productivity draw of firm i and  $z_{isj}$  is the productivity draw of firm i for product j. The parameter  $\theta$  is a term that represents firm-specific management practices: firms with higher (lower) values of  $\theta$  have better (worse) management practices. Firms draw  $\theta$  from a distribution  $H(\theta)$  with support  $(0, 1/(\sigma - 1))$ , and we assume  $\theta_i < 1/(\sigma - 1) \ \forall i$ . We think of management practices as a technology or knowledge that  $\overline{\phantom{a}}$  Note that in the case were  $\theta_i(\sigma - 1) = 1 \ \forall i$ , firms would choose to allocate all their organizational

influences the efficiency with which the organizational capital is used within the firm.

Given the product demand function in equation (9), the firm charges a price that is a constant markup over marginal costs:

$$p_{isjt} = \frac{\sigma}{\sigma - 1} c_{isjt} \tag{12}$$

Finally, combining demand, marginal cost, and price, the profit from producing a product is:

$$\pi_{isjt} = E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} Z_{isj}^{\sigma - 1} o_{isjt}^{\theta_i(\sigma - 1)}$$
(13)

where  $E_{st} = \sigma^{-\sigma}(\sigma - 1)^{\sigma - 1}\kappa_s E_t$  is a sector demand shifter.

The Firm Problem - The firm chooses which products to produce and how to allocate its limited organizational capital across products, subject to the consumers' demand in equation (9) and taking into account the constraint from equation (10) and its optimal price in equation (12). For this, each firm solves the following maximization problem:

$$\max_{\{o_{isjt}\}} \Pi_{it} = \int_{j \in \Omega_{is}} \pi_{isjt} - f dj \tag{14}$$

where f is a fixed cost incurred by the firm for each additional product it chooses to produce. Using the overall endowment of organizational capital in equation (10), the optimal allocation across products is the following:

$$o_{isjt} = \frac{\mathcal{O}_i}{B_{it}} z_{isj}^{\frac{\sigma - 1}{1 - \theta_i(\sigma - 1)}} \tag{15}$$

where we interpret  $B_{it} = \int_{j \in \Omega_{is}} z_{isj}^{\frac{\sigma-1}{1-\theta_i(\sigma-1)}} dj$  as the overall organizational strain of the firm, that is, a higher  $B_{it}$  indicates a higher degree of competition for organizational capital between products within firm i.  $B_{it}$  increases if a firm produces more products or products with higher productivity.

Because organizational capital is fixed for the firm, there is a trade-off between the firm's decision to expand its product range and lower its marginal cost of producing each product. The firm's management practices dictate how pronounced this trade-off capital to a single product and the model boils down to a Melitz type of model with single-product firms.

is: better management practices increase the effectiveness of organizational capital in reducing products' marginal costs, thus increasing the opportunity cost of introducing an additional product.<sup>8</sup>

Due to the fixed cost per product, the firm will produce only a subset of all available products. Since revenues and profit are increasing in the productivity draw of a product, a sorting pattern arises in which the firm produces all products above a certain productivity threshold z. Hence, the firm decides the optimal set of products to produce by choosing a productivity threshold, considering the optimal allocation of organizational capital across products in equation (15). The maximization problem, in which we rewrite the problem from choosing the optimal set of products into one where the firm chooses a productivity threshold, is the following:

$$\max_{\{z_{ist}\}} E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \mathcal{O}_i^{\theta_i(\sigma-1)} B_{it}^{1-\theta_i(\sigma-1)} - f(1 - F(z_{ist})) M_s, \tag{16}$$

where  $M_s$  is the number of products that can be produced in sector s, i.e.  $M_s = |\Omega_s|$ . The first order conditions associated with equation (16) implies the following productivity threshold:

$$\underline{z}_{ist} = \left[ \frac{(\gamma_{1is} M_s)^{\theta_i(\sigma - 1)} f}{(1 - \theta_i(\sigma - 1)) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)}} \right]^{\frac{1}{(\sigma - 1)(1 + \gamma_s \theta_i)}}, \tag{17}$$

where  $\gamma_{1is} = \frac{\gamma_s}{\gamma_s - \frac{\sigma - 1}{1 - \theta_i(\sigma - 1)}}$ .

As can be seen in equation (17), the productivity threshold depends on, among others, the supply of organizational capital within the firm  $(\mathcal{O}_i)$ , the sector price index, and the overall expenditure in the sector. If organizational capital is scarce in the firm  $(\mathcal{O}_i)$  is lower), the firm reduces the range of products by increasing the productivity threshold. A higher fixed cost per product (f) is higher) has a similar effect. Equation (17) also shows the relationship between management practices and the product range. At higher levels of management practices, the firm produces fewer products by concentrating its organizational capital on the most productive products. At the limit, as  $\theta_i(\sigma-1)$  converges to one,  $z_{ist}$  moves towards infinity, and the firm produces only its most productive product.

After solving for  $z_{ist}$ , we can solve the integral in  $B_{it}$  and calculate the amount of  $o_{isjt}$  that the firm allocates depending on the product productivity  $z_{isj}$ . Figure 4 shows the

<sup>&</sup>lt;sup>8</sup>A similar trade-off exists in Nocke and Yeaple (2014).

profits per product for two different levels of  $\theta_i$ , with  $z_{ist}$  corresponding to the product productivity  $z_{isj}$  for which the firm makes zero profit ( $\pi_{isjt} = f$ ). As can be seen in the figure, better management practices increase the slope of the profit function. As the slope increases, the profit of products with low productivity decreases, which causes the productivity threshold to be higher,  $z_1$  instead of  $z_2$  in the figure. In other words, everything else equal, a firm with better management practices will produce fewer products, but will have a higher profit in its most productive products.

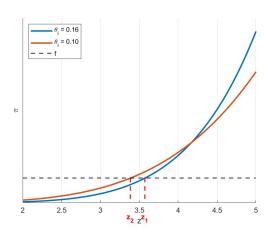


Figure 4: Profit per product.

Note: Profit per product depending on its productivity z. We assume  $P_{st} = E_{st} = 1$ ,  $Z_i = 4$ ,  $\sigma = 4$ ,  $O_i = 5$ ,  $M_s = 50$ , and  $\gamma_s = 6$ .

After substituting equation (17) into equation (16), the overall profit of a firm across all products can be rewritten as:

$$\Pi_{it} = X_{1ist} \mathcal{O}_i^{\frac{\gamma_s \theta_i}{1 + \gamma_s \theta_i}} \tag{18}$$

where 
$$X_{1ist} = \left(E_{st}^{\frac{1}{\sigma-1}} Z_{it} P_{st}\right)^{\frac{\gamma_s}{1+\gamma_s \theta_i}} f^{1-\frac{\gamma_s}{(\sigma-1)(1+\gamma_s \theta_i)}} M_s^{\frac{1}{1+\gamma_s \theta_i}} \left[\frac{(\gamma_{1is})^{\theta_i(\sigma-1)}}{(1-\theta_i(\sigma-1))}\right]^{-\frac{\gamma_s}{(\sigma-1)(1+\gamma_s \theta_i)}} \left(\frac{\gamma_{1is}}{(1-\theta_i(\sigma-1))} - 1\right).$$
Hence, overall, firms with better management practices have higher overall profits.

#### 4.1 The de-reservation policy

In the model, the de-reservation policy implies an exogenous increase in the number of firms in sector s. The increase in the number of firms causes an endogenous decrease in the sector price index,  $P_{st}$ .

<sup>&</sup>lt;sup>9</sup>Note that  $\pi_{isjt}$  depends on f through its effect on  $B_{it}$ , such that shifting f in the figure also shifts the  $\pi_{isjt}$  curves.

**Incumbents -** Firms active in sector s before de-reservation are affected by a decrease in the sector price index due to the increased competition. We summarize the effect of de-reservation on incumbents in proposition 1.

**Proposition 1.** De-reservation reduced the revenue and number of products for incumbent firms, and the effect is decreasing (in absolute terms) in management practices  $\theta_i$ . Specifically, if  $\varepsilon_{R,P} \equiv \left| \frac{\partial R_{it}}{\partial P_{st}} \frac{P_{st}}{R_{it}} \right|$  and  $\varepsilon_{N,P} \equiv \left| \frac{\partial N_{it}}{\partial P_{st}} \frac{P_{st}}{N_{it}} \right|$ , then:

$$\varepsilon_{R,P} = \varepsilon_{N,P} = \frac{\gamma_s}{1 + \theta_i \gamma_s} > 0$$
 and  $\frac{\partial \varepsilon_{N,P}}{\partial \theta} = \frac{\partial \varepsilon_{R,P}}{\partial \theta} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} < 0.$ 

**Proof**: See Appendix D.

Proposition 1 indicates that a decrease in the sector price index causes a revenue drop for all incumbent firms. Furthermore, the elasticity of revenue to the sector price index increases with the Pareto shape parameter and decreases with the firm's management practices. The numerator is the degree of product heterogeneity: a high  $\gamma_s$  indicates that products are very homogeneous (i.e., the productivity distribution has a thin tail) and the productivity threshold is in a region with a large mass of products. In this case, any movement of the productivity threshold leads to a larger change in products produced and revenues. The denominator,  $1 + \theta_i \gamma_s$ , is the degree to which the firm's management practices distort the productivity distribution, and it is one if  $\theta_i$  is zero. Finally, the elasticity of the number of products to the price index is the same as the elasticity of revenue to the price index.

This result relies on how  $\theta_i$  affects firms' marginal cost. Firms with better management practices concentrate their organizational capital on their top products, which causes the distribution of the marginal cost of products to become steeper. In our model, tougher competition forces firms to focus on their most productive products and reduce their product scope. This can be seen in Figure 5, which shows the change in the profit per product and productivity thresholds after a decrease in  $P_{st}$  in firms with different levels of  $\theta_i$ . There, we can see that decreasing  $P_{st}$  shifts the profit curve down for all products, and the shift is very similar for both  $\theta_i$ s. The productivity thresholds for both firms decrease, from  $z_1$  to  $z_3$  and from  $z_2$  to  $z_4$ . However, the steeper profit per product curve of firms with high  $\theta_i$  relative to firms with low  $\theta_i$  means that (i) the products that fall below the threshold represent a lower share of profit and (ii) the relative change in profits

per product is lower.

 $\theta_{i} = 0.16, P_{st} = 1.00$   $\theta_{i} = 0.16, P_{st} = 0.95$   $\theta_{i} = 0.10, P_{st} = 1.00$   $\theta_{i} = 0.10, P_{st} = 0.95$  - - - f

Figure 5: Profit per product, a decrease in  $P_{st}$ .

Note: Profit per product depending on its productivity z. We assume  $E_{st}=1, Z_i=4, \sigma=4, O_i=5, M_s=50, \text{ and } \gamma_s=6.$ 

4.5

Another way of looking at the intuition behind proposition 1 is that firms with better management practices have a comparative advantage in specializing in their most productive products. After an increase in competition, all firms reduce their product scope and focus their organizational capital on the products at the tail of the productivity distribution. However, this reduction is relatively smaller for firms with better management practices, as they were already specialized in producing a smaller range of products.

Both explanations of the mechanism rely on the productivity differences across products, and the mechanism disappears if firms are equally able to produce all products. As the main driver of the heterogeneous effect is the extent to which firms can specialize in producing certain products, the degree of product heterogeneity  $\gamma_s$  also influences the intensity of the mechanism.

Entrants - The model is not informative about the effect of de-reservation on entrants, as we do not model firms before they enter. However, we show in Table 3 that, after de-reservation, new entrants increased their productivity, which in our model would be related to a permanent increase in the firm-level productivity of these firms. Hence, we define entrants as firms that face an increase in  $Z_{it}$  as well as a decrease in the sector price index  $P_{st}$ . We summarize the effect of an increase in  $Z_{it}$  on firms in lemma 1.

<sup>&</sup>lt;sup>10</sup>We could model two distinct types of firms in the model, incumbents and entrants, but the problem remains that we cannot model from which sector these entrants are originally and which conditions they faced there.

**Lemma 1.** An increase in productivity  $Z_{it}$  increases the revenues and number of products of firms, and the effect is decreasing (in absolute terms) in management practices  $\theta_i$ . Specifically, if  $\varepsilon_{R,Z} \equiv \left| \frac{\partial R_{it}}{\partial Z_{it}} \frac{Z_{it}}{R_{it}} \right|$  and  $\varepsilon_{N,Z} \equiv \left| \frac{\partial N_{it}}{\partial Z_{it}} \frac{Z_{it}}{N_{it}} \right|$ , then:

$$\varepsilon_{R,Z} = \varepsilon_{N,Z} = \frac{\gamma_s}{1 + \theta_i \gamma_s} > 0$$
 and  $\frac{\partial \varepsilon_{N,Z}}{\partial \theta} = \frac{\partial \varepsilon_{R,Z}}{\partial \theta} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} < 0.$ 

**Proof**: See Appendix D.

Given the opposing effects of proposition 1 and lemma 1, the model cannot predict how deregulation will affect entrants, especially as we lack information on the relative size of both effects for each entrant. Furthermore, entrants are those firms that change their main product after de-reservation, which indicates a product-level reallocation of resources not entirely captured in lemma 1. Such a within-firm across-products reallocation is likely to have a stronger effect on firms with high efficiency, as they gain the most from specializing in a few highly productive products. All these effects are summarized in corollary 1.

Corollary 1. The net effect of de-reservation on the revenues and number of products for entrant firms is ambiguous and depends on the overall changes in the price index, firm-level productivity, and within-firm reallocation. The heterogeneity of the effect with respect to management practices is also ambiguous.

Sector heterogeneity - As can be seen in proposition 1 and lemma 1, the importance of management practices is linked to the Pareto shape parameter of the productivity distribution,  $\gamma_s$ . The intuition is that higher  $\gamma_s$  leads to lower dispersion in product productivity. This, in turn, means that fewer products have high productivity, with a large mass of products having relatively low values of z, which decreases the organizational strain of the firm  $B_{it}$  and increases the amount of organizational capital per product. Finally, the larger organizational capital per product increases the importance of  $\theta$ . This brings us to the following corollary:

Corollary 2. The heterogeneous effect of de-reservation through differences in management practices  $\theta_i$  is larger in sectors with higher product productivity dispersion  $\gamma_s$ .

# 5 Empirical strategy

The objective of this section is to define an approach to test the predictions of the theoretical model. For this, we first need to estimate organizational capital and management practices, which we do using the ASI data. With the guidance of our theoretical model, this provides us with a firm-level measure of management practices using firms' balance sheet information.

#### 5.1 Measuring Organizational Capital

Measuring a firm's specific organizational capital is challenging due to its partially tacit nature and the lack of detailed reports on organizational capital investments. We follow Lev and Radhakrishnan (2005), Eisfeldt and Papanikolaou (2013), and Peters and Taylor (2017) and use Sales, General, and Administrative (SG&A) expenses as a proxy for organization capital. SG&A includes expenditures that are not directly related to production but constitute investments in organizational capital, such as technical know-how and consultancy charges, directors' fees, communication charges, audit fees, bank charges, advertising costs, and other non-industrial service expenses. To estimate the stock of organizational capital,  $\mathcal{O}_{it}$ , we follow Eisfeldt and Papanikolaou (2013) and use the perpetual inventory method. Specifically, we recursively calculate the stock of organizational capital ( $\mathcal{O}_{it}$ ) by cumulating the deflated value of SG&A expenses as:

$$\mathcal{O}_{it} = (1 - \delta_0)\mathcal{O}_{it-1} + \frac{SGA_{it}}{CPI_t}.$$
(19)

The stock of  $\mathcal{O}_{it}$  is measured for each firm i at time t,  $\delta$  is the depreciation rate, and  $CPI_t$  is the consumer price index. To implement the law of motion, the initial stock of  $\mathcal{O}_{it}$  is estimated as follows:

$$\mathcal{O}_0 = \frac{SGA_1}{(g+\delta_0)} \tag{20}$$

g is the average real growth rate of firm-level SG&A expenses, which is 10% in our sample. We use a depreciation rate of 15% as in Eisfeldt and Papanikolaou (2013).<sup>11</sup> We winsorize

 $<sup>^{11}</sup>$  The results are robust to using alternative depreciation rates, e.g., 10% and 25%. Results are available upon request.

SG&A expenses and  $\mathcal{O}_{it}$  at 1% and 99% to minimize the effect of outliers.

### 5.2 Estimating Management Practices

We estimate management practices using the firm revenues function from our model:

$$R_{it} = \sigma E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_{it}^{\theta_i(\sigma - 1)} \left( \gamma_{1is} M_s \right)^{1 - \theta_i(\sigma - 1)} \underline{z}_{it}^{(\sigma - 1)(1 + \gamma_s \theta_i) - \gamma_s}, \tag{21}$$

where we have added the t subscript to  $\mathcal{O}_{it}$  because our measurement of organizational capital in the data allows it to change over time.<sup>12</sup> Taking logs:

$$\ln(R_{it}) = (\sigma - 1)\ln(Z_{it}) + \theta_i(\sigma - 1)\ln(\mathcal{O}_{it}) + ((\sigma - 1)(1 + \gamma_s\theta_i) - \gamma_s)\ln(z_{it}) + \eta_{st} + \eta_{it}, (22)$$

where  $\eta_{st} = \ln(\sigma E_{st} P_{st}^{\sigma-1} M_s^{1-\theta_i(\sigma-1)})$  and  $\eta_i = (1 - \theta_i(\sigma - 1)) \ln(\gamma_{1is})$ . We make use of the following equality:  $\theta_i = \theta_s + (\theta_i - \theta_s)$ , where  $\theta_s$  is the average management practices in a sector. Then, the equation above can be rewritten as:

$$\ln(R_{it}) = (\sigma - 1)\ln(Z_{it}) + \theta_s(\sigma - 1)\ln(\mathcal{O}_{it}) + ((\sigma - 1)(1 + \gamma_s\theta_s) - \gamma_s)\ln(\underline{z}_{it}) + \eta_{st} + \varepsilon_{it}, (23)$$

where  $\varepsilon_{it} = \eta_i + (\theta_i - \theta_s)(\sigma - 1) \ln(\mathcal{O}_{it}) + (\sigma - 1)(1 + \gamma_s(\theta_i - \theta_s)) \ln(z_{it})$ . Equation (23) can be estimated for each sector s in our data by using our measurement of  $\mathcal{O}_{it}$  and proxies for  $\ln(z_{it})$  and  $Z_{it}$ . As a proxy for  $\ln(z_{it})$ , we choose the log of product scope  $(\ln(\#products_{it}))$ , that is, the number of products a firm i produced during year t.<sup>13</sup>  $\ln(Z_{it})$  is proxied by TFP and estimated using the Ackerberg et al. (2015) approach for each 2-digit manufacturing industry, with value added as the outcome variable. Finally,  $\ln(R_{it})$  is the total output reported in the ASI by the firm i in year t,  $\ln(output_{it})$ . Our estimating equation is then:

$$\ln(output_{it}) = \beta_1 \ln(\mathcal{O}_{it}) + \beta_2 \ln(Z_{it}) + \beta_3 \ln(\#products_{it}) + \eta_{st} + \varepsilon_{it}. \tag{24}$$

The residual from the above regression reveals what remains unexplained by the fitted model. One potential problem in equation (24) is that, due to systematic differences in

<sup>&</sup>lt;sup>12</sup>The mechanism of the model depends on organizational capital being difficult to adjust, but not necessarily fixed over time.

<sup>&</sup>lt;sup>13</sup>We refer to this variable as  $N_{it}$  in the theoretical model.

reporting of SG&A expenses, our management practices measure may differ systematically across firms in different industries. To take this into account, we rank firms based on our management practices measure relative to their industry peers. The rank, which we denote as  $\hat{\theta}_i$  and ranges between 1 and 5, is assigned based on the firm's quintile of the residual from regression (24) within each 2-digit industry. The higher the rank, the higher the firm's management practices within the industry's distribution. Using the rank instead of the calculated management practices measure ensures that the results are driven by within rather than between industry differences in management practices.

Table 5 presents the correlation table for our estimated measure of management practices and firm performance indicators.  $\hat{\theta}_i$  has a strong positive correlation with a firm's assets, employment, output, and labor productivity. Interestingly, the correlation between  $\hat{\theta}_i$  and  $\log \mathcal{O}_{it}$ , and  $\hat{\theta}_i$  and  $Z_{it}$  is relatively small in magnitude, indicating that management practices are not to be confused with productivity, although they are positively correlated.

Table 5: Correlation between management practices and firm performance measures.

	$\hat{ heta}_i$	$\log \mathcal{O}_{it}$	$Z_{it}$	$\log(assets)$	$\log(\mathrm{employment})$	$\log(\mathrm{output})$	$\log({\rm output/employee})$
$\hat{ heta}_i$	1						
$\log \mathcal{O}_{it}$	0.0130***	1					
$Z_{it}$	0.0289***	0.246***	1				
log(assets)	0.310***	0.790***	0.150***	1			
log(employment)	0.341***	0.716***	0.224***	0.689***	1		
$\log(\text{output})$	0.424***	0.819***	0.324***	0.829***	0.781***	1	
log(output/employee)	0.295***	0.506***	0.265***	0.552***	0.130***	0.721***	1

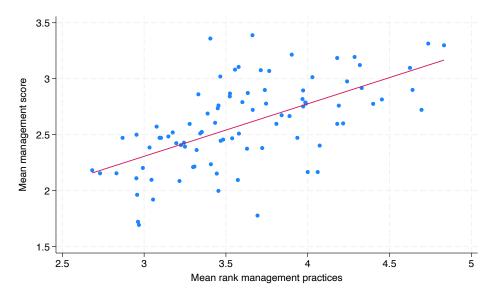
<sup>\*</sup> p < 0.05, \*\* p < 0.01, \*\*\* p < 0.001

Table 6 presents summary statistics for entrants and incumbents. Entrants are, on average, larger than incumbents in terms of organizational capital, assets, output, and the number of products. Entrants also feature higher levels of management practices relative to incumbents. Figure 6 presents correlation between  $\hat{\theta}_i$  and the average management practices score constructed by Bloom et al. (2012) (Appendix Figure A.2 shows the correlation between  $\theta_i$  and management practices score). Both plots show that our measures are positively correlated with the established in the literature measure of management practices.

Table 6: Summary statistics for incumbents and entrants.

	Incumbents		Entr	ants
	mean	$\operatorname{sd}$	mean	$\operatorname{sd}$
$-\log \mathcal{O}_{it}$	14.868	2.173	15.181	2.051
$\hat{ heta}_i$	3.061	1.394	3.117	1.427
$Z_{it}$	8.851	1.325	9.058	1.295
log(assets)	14.835	2.566	15.453	2.194
log(employment)	3.809	1.442	3.945	1.445
$\log(\text{output})$	16.657	2.202	17.048	1.942
$\log(\text{output/employee})$	12.823	1.481	13.089	1.332
# products	2.151	1.950	2.304	1.810

Figure 6: Correlation between management score and rank of management practices.



Note: Correlation graph between the average management score and the rank of management practices. Management score data is taken from the World Management Survey constructed by Bloom et al. (2012). Bins are 2-digit industry and employment categories for (i) 50-100, (ii) 101-250, (iii) 251-500, (iv) 501-1000, and (v) 1000+ employees.

# 5.3 Estimating Equation

To examine the heterogeneous effects of the de-reservation policy based on management practices, we estimate the following triple differences interaction:

$$Y_{it} = \alpha + \beta_1 Post_{it} + \beta_2 \hat{\theta}_i + \beta_3 Post_{it} \times \hat{\theta}_i + \eta_i + \tau_t + \varepsilon_{it}$$
(25)

$$Y_{it} = \alpha + \delta_1 Incumbent_i \times Post_{it} + \delta_2 Entrant_i \times Post_{it} + \delta_3 \hat{\theta}_i$$

$$+ \delta_4 Incumbent_i \times Post_{it} \times \hat{\theta}_i + \delta_5 Incumbent_i \times Post_{it} \times \hat{\theta}_i$$

$$+ Entry Year_i \times \tau_t + \eta_i + \tau_t + \varepsilon_{it}$$

$$(26)$$

where all variables are defined as above and  $\hat{\theta}_i$  is the rank of a firm's management practices measure relative to its industry peers. As in fact 3, we include firm and year fixed effects to account for time-invariant differences across firms and time trends common to all firms, respectively. The main coefficients of interest are  $\beta_3$ , which captures the heterogeneous effects of the de-reservation policy on an average firm, and  $\delta_4$  and  $\delta_5$ , which represent heterogeneous effects of de-reservation based on management practices for incumbents and entrants, respectively. These equations are the same as in fact 3 with the difference that we use our own constructed measure of firm-level management practices rather than the Bloom et al. (2012) one.

#### 6 Results

#### 6.1 Baseline results

Output - The baseline estimation results on output are presented in Table 7. The de-reservation policy had a significant and positive effect on firms' output as presented in Column (1). Column (2) shows that firms with better management practices are associated with greater output. Our main coefficients of interest are presented in Column (3).  $\hat{\theta}_i$  is not estimated in Column (3), as it is firm-specific and constant over time and is absorbed by firm fixed effects, but its interaction with  $Post_{it}$  is. As predicted by the theory, the total output of a firm with average management practices decreased by 2.4% after the de-reservation policy and a resulting increase in competition. However, firms in the highest quantile of management practices ( $\hat{\theta}_i = 5$ ) experienced an increase in their output of 39.4%, while firms in the lowest quantile of management practices ( $\hat{\theta}_i = 1$ ) observed a decline in output of 32%. This is in line with our model, where firms with

<sup>14</sup>It is calculated as follows:  $(\exp^{(-0.558+0.178*3)} -1) \times 100\%$ .

better management practices are less negatively affected because they have a comparative advantage to specialize in a smaller range of products with lower marginal costs. Due to this specialization, firms with better management practices are less adversely affected by the increase in competition following the de-reservation.

To ensure that the estimated management practices affect firms differently and do not capture productivity improvements, we control in Column (4) for the level of  $Z_{it}$  and the interaction term between  $Z_{it}$  and a post-treatment dummy. We observe that  $Z_{it}$  is positively associated with output. However, this is not the case that firms with higher  $Z_{it}$  are affected significantly differently by the de-reservation compared to firms with lower  $Z_{it}$ . Our main coefficient of interest,  $Post_{it} \times \hat{\theta}_i$ , remains highly statistically significant and similar in magnitude.

In Columns (5) to (7), we disaggregate this effect for incumbents and entrants. Column (5) shows that after de-reservation, the output of incumbents declined, while the output of entrants increased. Column (6) depicts our main coefficients of interest. The de-reservation policy decreased the output of incumbents with average management practices by 5.4%. However, incumbents in the fifth quantile of  $\hat{\theta}_i$  increased their output by 34%, whereas incumbents in the first quintile of  $\hat{\theta}_i$  decreased their output by 33%. This is in line with the proposition 1, stating that incumbents with higher  $\hat{\theta}_i$  are less negatively affected by competition. Our baseline results remain unchanged after adding the interactions between  $Z_{it}$  and incumbents and entrants, in column (7), with the interaction term between  $Z_{it}$  and a de-reservation dummy being statistically zero for incumbents.

Using the rank of management practices imposes a linearity assumption along different quintiles of  $\hat{\theta}_i$ . In practice, however, there may be a non-linear relationship between output and the effects of de-reservation for firms in different quintiles of management practices. To relax the linearity assumption, we create binary indicators for different quintiles of management practices instead of using the rank of management practices. By interacting these dummy variables with the  $Post_{it}$  indicator, we get insights into heterogeneous effects of de-reservation along different quintiles of management practices. Point estimates plotted in Figure 7 indicate that firms in the fifth quintile of management practices are the least negatively affected by de-reservation compared to firms in the first quintile of management practices. This relationship increases in a firm's quintile of management practices. This result is in line with our findings above and demonstrates

Table 7: Baseline estimation results on output.

	$ \begin{array}{c} (1) \\ ln(output_{it}) \end{array} $	$ \begin{array}{c} (2) \\ ln(output_{it}) \end{array} $	$(3) \\ ln(output_{it})$	$ \begin{array}{c} (4) \\ ln(output_{it}) \end{array} $	$ \begin{array}{c} (5) \\ ln(output_{it}) \end{array} $	$ \begin{array}{c} (6) \\ ln(output_{it}) \end{array} $	$ \begin{array}{c} (7) \\ ln(output_{it}) \end{array} $
$Post_{it}$	0.023* (0.012)		-0.558*** (0.029)	-0.576*** (0.074)			
$\hat{ heta}_i$		0.553*** (0.006)					
$Post_{it} \times \hat{\theta}_i$			0.178*** (0.009)	0.165*** (0.006)			
$Z_{it}$				0.404*** (0.005)			0.403*** (0.005)
$Post_{it} \times Z_{it}$				$0.008 \\ (0.008)$			
$Incumbent_i \times Post_{it}$					-0.019 (0.013)	-0.570*** (0.033)	-0.508*** (0.083)
$Entrant_i \times Post_{it}$					0.230*** (0.032)	-0.561*** (0.061)	-0.980*** (0.166)
$Incumbent_i \times Post_{it} \times \hat{\theta}_i$						0.172*** (0.009)	0.159*** (0.007)
$Entrant_i \times Post_{it} \times \hat{\theta}_i$						0.231*** (0.022)	0.218*** (0.018)
$Incumbent_i \times Post_{it} \times Z_{it}$							$0.000 \\ (0.008)$
$Entrant_i \times Post_{it} \times Z_{it}$							0.050*** (0.018)
$\begin{array}{c} {\rm N} \\ {\rm R-squared} \\ i \\ t \end{array}$	234013 0.930 ✓	190475 0.148 ✓	190379 0.926 ✓	178554 0.962 ✓	234013 0.930 ✓	190379 0.926 ✓	178554 0.962 ✓

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equation (25). The outcome variable is the log of output.  $\hat{\theta}_i$  is firm-specific rank of management practices calculated from equation (24).  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Z_{it}$  is firm-level TFP, calculated using Ackerberg et al. (2015) approach for each 2-digit industry.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) to (7) include firm and year fixed effects. Standard errors are clustered at the firm level.

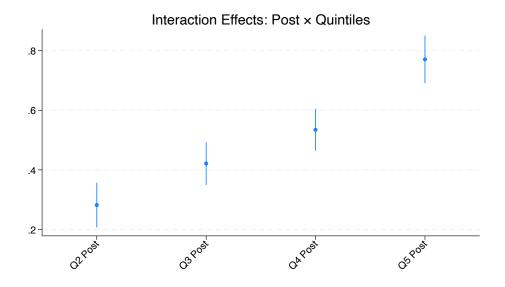
that relaxing the linearity assumption does not change our results.

Number of Products - We proceed by looking at changes in the number of products in Table 8. As shown in Column (1), firms affected by the de-reservation policy of their main product decreased the number of products, on average. Column (2) shows that there is no statistically significant correlation between a firm's management practices and the number of products it produces. This zero effect, together with the positive coefficient in Column (2) of Table 7, points to a larger output per product, which is in line with the assumptions in our theoretical model.

Our main coefficients of interest are presented in Column (3) of Table 8, showing that

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Figure 7: Results on output along the quintiles of the management practices rank.



Note: The graph depicts the point estimates with 95% confidence intervals on the interaction term between  $Post_{it}$  and quintile binary indicators, which are created based on the rank of management practices. The regression controls for firm and year fixed effects. Standard errors are clustered at the firm level. The first quintile serves as a reference group and is omitted.

the de-reservation policy decreased the number of products for firms with an average  $\hat{\theta}_i$  by 0.8%, on average. However, there is large heterogeneity across firms based on their management practices, with firms in the fifth quintile of  $\hat{\theta}_i$  experiencing an increase of 1.2%, on average. In contrast, firms in the first quintile of management practices decreased their product scope by 2.8%. Controlling for  $Z_{it}$  in Column (4) does not alter our baseline results, with the interaction term between  $Z_{it}$  and a de-reservation dummy being statistically zero. Splitting between entrants and incumbents, Column (6) shows that incumbents, on average, decrease the number of products. However, those incumbents with higher  $\hat{\theta}_i$  are less negatively affected by the policy compared to incumbents with worse management practices. This result is robust to controlling for  $Z_{it}$  with the interaction term between  $Z_{it}$  and a de-reservation dummy having a statistically zero effect. As with our output regressions in Table 7, our findings show a milder adverse effect from competition for incumbents with better management practices, which is in line with proposition 1.

**Pre-trends** - To check for pre-trends, we implement a recently developed methodology by Callaway and Sant'Anna (2021) that accounts for treatment effect heterogeneity in a staggered roll-out design. This method utilizes a doubly-robust DiD estimator that combines outcome-regression and inverse probability weighting to adjust for counterfactuals.

Table 8: Baseline estimation results on the number of products.

$ln(\#products_{it})$	(2) $ln(\#products_{it})$	(3) $ln(\#products_{it})$	(4) $ln(\#products_{it})$	(5) $ln(\#products_{it})$	(6) $ln(\#products_{it})$	(7) $ln(\#products_{it})$
-0.012** (0.006)	(// 20)	-0.038** (0.015)	-0.049 (0.039)	(// 12)	(11)	(n)
	-0.001 (0.002)					
		0.010** (0.004)	0.009** (0.004)			
			0.014*** (0.002)			0.013*** (0.002)
			0.001 (0.004)			
				-0.033*** (0.006)	-0.066*** (0.016)	-0.062 (0.048)
				0.116*** (0.016)	0.088** (0.039)	-0.028 (0.087)
					0.012*** (0.005)	0.012** (0.005)
					0.012 (0.011)	0.006 (0.012)
						-0.001 (0.005)
						0.014* (0.008)
201734 0.818	184986 0.001	183539 0.812	172002 0.818	201734 0.819 ✓	183539 0.812 ✓	172002 0.818 ✓
	(0.006) 201734 0.818	(0.006)  -0.001 (0.002)  201734 184986 0.818 0.001  ✓ ✓	$ \begin{array}{c} -0.001 \\ (0.002) \\ \hline \\ 0.010^{**} \\ (0.004) \\ \hline \\ 201734 & 184986 & 183539 \\ 0.818 & 0.001 & 0.812 \\ \checkmark & \checkmark & \checkmark \\ \end{array} $	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	(0.006) (0.015) (0.039)  -0.001 (0.002)  0.010** (0.004) (0.004)  0.014*** (0.002)  0.001 (0.004)  -0.033*** (0.006)  0.116*** (0.016)  201734 184986 183539 172002 201734 0.818 0.001 0.812 0.818 0.819  ✓ ✓ ✓ ✓ ✓ ✓ ✓ ✓ ✓	(0.006) (0.015) (0.039)  -0.001 (0.002)  0.010** (0.004)  0.014*** (0.002)  0.001 (0.004)  -0.033*** (0.006) (0.016)  -0.033*** (0.006) (0.016)  0.116*** (0.008)  0.012*** (0.005)  0.012 (0.011)  201734 184986 183539 172002 201734 183539 0.818 0.001 0.812 0.818 0.819 0.812  ✓ ✓ ✓ ✓ ✓

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equation (25). The outcome variable is the log of the number of products.  $\hat{\theta}_i$  is firm-specific rank of management practices calculated from equation (24).  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Z_{it}$  is firm-level TFP, calculated using Ackerberg et al. (2015) approach for each 2-digit industry.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) to (7) include firm and year fixed effects. Standard errors are clustered at the firm level.

We implement event-study type regressions for firms in different quintiles of management practices. Results reported in Appendix Figure A.3 show no statistically significant pre-trends, reinforcing our results.

Additionally, we follow Martin et al. (2017) and run a product-level regression, where de-reservation dummy is regressed on lagged, first difference changes in the product-level outcomes of interest. Having no statistically significant effect suggests that product de-reservation did not occur as a response to changes in employment, output, capital, or the number of firms. Results are presented in Appendix Table B.4.

## 6.2 Sector heterogeneity

As indicated in corollary 2, management practices create a heterogeneous effect of the de-reservation policy on output and the number of products only when products are heterogeneous. Hence, if the results presented in the previous subsection are due to the

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

mechanism exposed in our theoretical model, the effect should be larger in sectors with high product heterogeneity. To test this hypothesis, we need to first calculate the Pareto shape parameter for each of our industries,  $\gamma_s$ . For this, we follow Helpman et al. (2004) and Bernard et al. (2018) and rank product-level revenues within a 2-digit industry. The rank varies between 1 and 18,445. Then, for each industry, we regress the log-transformed rank variable on the log product-level revenues with year fixed effects. The coefficient from this regression is the Pareto shape parameter. Appendix Table B.5 presents the estimates by industry.

We use our estimates for the sector's Pareto shape parameter  $\gamma_s$  to test this hypothesis, with higher  $\gamma_s$  indicating higher output dispersion across products in the sector. The regression equation is the following:

$$Y_{it} = \alpha + \beta_1 Post_{it} + \beta_2 Post_{it} \times \hat{\theta}_i + \beta_3 Post_{it} \times \gamma_s + \beta_4 Post_{it} \times \hat{\theta}_i \times \gamma_s + \eta_i + \tau_t + \varepsilon_{it},$$
 (27)

where  $Y_{it}$  is the log of output and the log of the number of products. The main coefficient of interest is  $\beta_4$ : how the heterogeneous effect of de-reservation due to management practices depends on the sector's product heterogeneity.

The results of the regressions for equation (27) are shown in Table 9. As our theory predicts, the effect of management practices is only significant in the interaction term with our measure of product heterogeneity.

#### 6.3 Robustness checks

Here, we address some potential concerns about the results presented in the last section. Specifically, since our Post variable indicates that the firm's main product has been de-reserved, one could be concerned about identifying the main product at the firm level. To address concerns about this variable, we change our measure of de-reservation from a firm-level variable to a sector-level variable. For this, we create a sector-level variable  $(Deres\_share_{st})$  that indicates the share of output de-reserved in a given sector. To avoid simultaneity problems, we set the share of output fixed to the first period in our data, specifically:

$$Deres\_share_{st} = \frac{\sum_{j} Deres_{jt} output_{sj0}}{\sum_{j} output_{sj0}}$$
 (28)

Table 9: Estimation results using product differentiation measure.

	(1)	(2)
	$ln(output_{it})$	$ln(\#products_{it})$
$Post_{it}$	0.561	0.368**
	(0.344)	(0.163)
$Post_{it} \times \hat{\theta}_i$	-0.095	-0.056
	(0.107)	(0.050)
$Post_{it} \times \gamma_s$	-3.157***	-1.146**
	(0.956)	(0.455)
$Post_{it} \times \hat{\theta}_i \times \gamma_s$	0.771**	0.187
	(0.300)	(0.141)
N	190379	183539
R-squared	0.926	0.812
i, t	✓	✓

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equation (27). The outcome variable is log output in Column (1) and log number of products in Column (2).  $\hat{\theta}_i$  is firm-specific rank of management practices calculated from equation (24).  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $\gamma_s$  is the Pareto shape parameter, calculated as described in Section 6.2. Columns (1) and (2) include firm and year fixed effects. Standard errors are clustered at the firm level.

where  $Deres_{jt}$  is an indicator variable that takes the value 1 if a product has been dereserved in period t or earlier, and  $output_{sj0}$  is the output of product j in the first period of our sample.

The results of the regressions with the alternative measure for de-reservation are in Table 10. Overall, they are in line with the main results presented in Tables 7 and 8.

#### 7 Welfare effects

This section aims to assess the importance of management practices and their influence on liberalization episodes. We do so in three steps. First, we parameterize the model using the Simulated Method of Moments (SMM). Then, we measure the aggregate effect of the de-reservation policy on welfare. Finally, we redo our simulation assuming that management practices in India are similar to the ones observed in developed countries.

We calibrate and simulate each industry individually, but we drop industry 30 (office equipment), as it only has around 400 observations. All other industries have at least 1,400 observations. Furthermore, we assume in the simulation that product productivities

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table 10: Robustness check using the output share of de-reserved products by industry.

	(1)	(2)
	$ln(output_{it})$	$ln(\#products_{it})$
Panel A:		
$Deres\_share_{st}$	-0.836***	-0.053***
	(0.038)	(0.020)
$Deres\_share_{st} \times \theta_i$	0.289***	0.016***
	(0.012)	(0.006)
Panel B:		
$Incumbent_i \times Deres\_share_{st}$	-0.810***	-0.088***
	(0.048)	(0.025)
$Incumbent_i \times Deres\_share_{st} \times \theta_i$	0.255***	0.016**
	(0.014)	(0.007)
$Entrant_i \times Deres\_share_{st}$	-0.808***	0.074
	(0.140)	(0.078)
$Entrant_i \times Deres\_share_{st} \times \theta_i$	0.391***	0.017
	(0.048)	(0.022)
N	110076	105847
R-squared	0.923	0.832
i, t	$\checkmark$	$\checkmark$

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equations (3) and (4). The outcome variable is the log of output in Column (1) and the log number of products produced by firm i at time t in Column (2).  $Deres\_shares_t$  is the output share of de-reserved products in sector s at time t, calculated from equation (28).  $\hat{\theta}_i$  is firm-specific rank of management practices calculated from equation (24).  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) and (2) include firm and year fixed effects. Standard errors are clustered at the firm level.

are distributed following a log-normal distribution:  $z \sim Lognormal(\mu_z, \sigma_z^2)$ . Hence, we solve equation (14) and the value of  $B_{it}$  numerically instead of using the closed form solution for the case where z is Pareto distributed.<sup>15</sup> For a detailed description of the changes to the model and the new equations for the simulation, see Appendix E.

We simulate the de-reservation shock as an exogenous entry of firms into the industry. Specifically, we measure the number of firms in industry s after de-reservation  $(\hat{I}_s)$  as follows:

$$\hat{I}_s = \Delta^I \phi_s I_s, \tag{29}$$

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

<sup>&</sup>lt;sup>15</sup>The reason for this change is that the log-normal distribution approximates the full distribution of firms better than the Pareto distribution, as output is too concentrated in the fat tails of the Pareto distribution (see Luttmer (2007) and Alessandria and Choi (2014)).

where  $\Delta^I$  is the effect of de-reservation on the number of firms producing a product,  $\phi_s$  is the share of industry output that was de-reserved between 2000 and 2008, and  $I_s$  is the original number of firms in the industry. As a measure for  $\Delta^I$ , we use our result in Table 2, where we regress the de-reservation dummy on the number of firms producing a given product. This gives us  $\Delta^I = 0.136$ . We measure  $\phi_s$  directly from the data, using only the market share of products in 2000, as the market shares in later years might be affected by the de-reservation. Finally,  $I_s$  is the number of firms in the industry before de-reservation.

Another effect of the de-reservation policy was to allow the entry of larger firms, as shown in Martin et al. (2017). We also show in Table 6 that new entrants are larger than incumbents in the relevant variables. To account for this, when adding new firms after de-reservation, we increase their TFP, organizational capital, and management practices distributions relative to the incumbents in their industry. Following Table 6, we increase their average TFP, organizational capital, and management practices by 2.3%, 2.1%, and 1.8%, respectively. <sup>16</sup>

Calibration - To calibrate our model, we first make some normalization assumptions concerning parameters in the model that have no direct link with the data, specifically, we assume the range of products  $M_s$  to be 50, the overall expenditure in each sector  $E_s$  to be 100, and the mean of the product productivity distribution  $\mu_z$  to be 1. Then, following the literature, we set the elasticity of substitution  $\sigma$  to 4.<sup>17</sup> Other parameters can be estimated directly from the data: the mean and standard deviation of the distribution of firm productivities  $(\mu_Z^s, \sigma_Z^s)$ , the mean and standard deviation of the distribution of organizational capital  $(\mu_{\mathcal{O}}^s, \sigma_{\mathcal{O}}^s)$ , and the correlation between firm productivity and organizational capital  $(\rho_{Z,\mathcal{O}}^s)$ . Table 11 shows an overview of the normalized and directly estimated parameters.

Table 11: External parameters.

Parameter	$\sigma$	$M_s$	$E_s$	$I_s$	$\mu_z$	$\mu^s_{\mathcal{O}}$	$\sigma^s_{\mathcal{O}}$	$\mu_Z^s$	$\sigma_Z^s$	$ ho_{Z,\mathcal{O}}^s$
Value	4	$50 \ \forall s$	$100,000 \ \forall s$	$2000 \ \forall s$	1	9.035	1.034	15.154	1.876	0.400

The values for  $\mu_{\mathcal{O}}^s$ ,  $\sigma_{\mathcal{O}}^s$ ,  $\mu_Z^s$ ,  $\sigma_Z^s$ , and  $\rho_{Z,\mathcal{O}}^s$ , are the simple average across industries. See Appendix F for detailed information by industry.

We estimate the rest of the model's parameters using the SMM and the ASI data.

The Calculate these values as follows:  $\frac{X_{entrants} - X_{incumbents}}{X_{incumbents}} \times 100$ , where  $X_{entrants}$  and  $X_{incumbents}$  are the entrants and incumbents mean value of TFP, organizational capital, and management practices, respectively

<sup>&</sup>lt;sup>17</sup>Broda and Weinstein (2006) find an average elasticity between products of 3.85 for the US.

These parameters are the mean and standard deviation of  $\theta$  ( $\mu_{\theta}^{s}, \sigma_{\theta}^{s}$ ), the correlations between  $\mathcal{O}$  and  $\theta$  ( $\rho_{\mathcal{O},\theta}^{s}$ ) and between Z and  $\theta$  ( $\rho_{Z,\theta}^{s}$ ), the fixed cost of adding a product ( $f^{s}$ ), and the standard deviation of the product productivity distribution ( $\sigma_{z}^{s}$ ). To estimate these parameters, we define the following expression that measures the deviation between moments in the data and in the simulation:

$$g(\xi^s) = m_d^s - m_v^s(\xi^s), (30)$$

where  $m_d^s$  is a vector with moments from the data,  $m_v^s$  is the same moments measured in the simulation, and  $\xi^s = (\mu_{\theta}^s, \sigma_{\theta}^s, \rho_{\mathcal{O},\theta}^s, \rho_{Z,\theta}^s, f^s, \sigma_z^s)$  is the vector of parameters to be estimated.

The optimal parameters are those that minimize the distance between the moments in the data and the moments in the simulation using a weighting matrix  $\mathbf{W}$ . The weighting matrix is the inverse of the estimated variance-covariance matrix of the moments in the data. Specifically, we solve the following minimization problem:

$$\hat{\xi}^s = \arg \min_{\xi^s} \{ g(\xi^s)' \mathbf{W}^s g(\xi^s) \}. \tag{31}$$

**Identification** - To identify the parameters in  $\xi^s$ , we choose the moments in equation (31) such that they capture the production behavior of Indian firms.

First, we use the distribution of output concentration within firms. Specifically, we calculate the firm-level standard deviation of output across products  $(\sigma_r)$  and compute the mean and standard deviation of this variable across firms. That is, the moments that we use are the mean and standard deviation  $\sigma_r$ . This captures the distribution of output concentration across firms, which is related to  $\mu_{\theta}^s$ ,  $\sigma_{\theta}^s$ , and  $\sigma_z^s$  in our model. Then, we use the correlation between the distribution of  $\mathcal{O}$  and  $\sigma_r$  and between the distribution of Z and  $\sigma_r$ . These two moments are closely related to the correlation parameters  $\rho_{\mathcal{O},\theta}^s$  and  $\rho_{\mathcal{Z},\theta}^s$ . Finally, we capture the distribution of the productivity threshold z by including as moments the mean and standard deviation of the log number of products across firms. These two moments closely define the fixed cost  $f^s$  and the standard deviation of the product productivity distribution  $\sigma_z^s$ .

<sup>&</sup>lt;sup>18</sup>We estimate  $\mathbf{W}^s$  by sampling 1,000 times with replacement 2,000 firms from the data. Then, we calculate the vector of moments  $m_d^s$  for each sample and calculate  $\mathbf{W}^s$  as the variance-covariance matrix of the moments estimated in all the samples.

Due to the randomness of the data generated, the optimal moments and parameters depend on the specific draws of the random generator. To address this issue, we repeat the SMM procedure explained above 50 times, each with a different random generator seed. We show the average value across the 50 sets of parameters.

**Model fit -** The fit of the moments in the simulation to their data counterparts for each industry is shown in Table 12. Overall, the model fits the data well and is capable of replicating a wide range of moments.

Table 12: Empirical and simulated moments by industry.

Ind.	Mea	n $\sigma_r$	Std. d	lev. $\sigma_r$	Corr. (	$\mathcal{I}$ and $\sigma_r$	Corr.	$Z$ and $\sigma_r$	Mean l	og(#prod.)	Std. dev	v. log(#prod.)
	data	$\sin$	data	$_{ m sim}$	data	$_{ m sim}$	data	$_{ m sim}$	data	$_{ m sim}$	data	sim
15	2.153	2.155	1.132	1.137	0.214	0.220	0.136	0.132	0.750	0.738	0.109	0.102
16	2.459	2.413	1.270	1.229	0.209	0.204	0.211	0.204	0.101	0.150	0.129	0.130
17	2.551	2.479	1.268	1.233	0.016	0.028	0.012	0.005	0.483	0.494	0.101	0.102
18	1.798	1.976	1.427	1.198	0.091	0.090	0.038	0.028	0.145	0.123	0.076	0.085
19	1.934	1.947	1.414	1.421	0.095	0.097	-0.036	-0.036	0.373	0.350	0.098	0.097
20	1.652	1.635	1.136	1.123	0.100	0.107	0.085	0.085	0.437	0.438	0.112	0.112
21	2.172	2.211	1.345	1.291	-0.003	-0.001	0.006	0.003	0.222	0.204	0.110	0.104
22	1.764	1.846	1.330	1.267	0.220	0.220	0.192	0.188	0.385	0.369	0.117	0.121
23	1.923	1.950	1.148	1.116	0.241	0.244	0.036	0.035	0.355	0.352	0.127	0.133
24	1.554	1.592	1.040	1.026	0.121	0.121	0.062	0.062	0.619	0.596	0.115	0.115
25	2.068	2.061	1.343	1.356	0.169	0.168	0.091	0.100	0.425	0.385	0.107	0.106
26	1.967	1.951	1.303	1.298	0.141	0.147	0.103	0.102	0.189	0.189	0.133	0.133
27	2.261	2.341	1.237	0.936	0.038	0.042	0.003	0.003	0.396	0.447	0.107	0.099
28	1.901	1.894	1.097	1.054	0.128	0.135	0.043	0.041	0.399	0.409	0.113	0.115
29	1.727	1.717	1.091	1.066	0.143	0.147	0.121	0.126	0.648	0.653	0.110	0.108
31	1.873	1.871	1.252	1.237	0.131	0.125	0.089	0.088	0.490	0.490	0.117	0.117
32	1.901	1.914	1.244	1.240	0.123	0.127	0.020	0.019	0.641	0.623	0.109	0.108
33	1.658	1.715	1.105	1.057	0.117	0.122	0.011	0.006	0.607	0.602	0.107	0.112
34	1.970	1.969	1.170	1.155	0.080	0.085	0.055	0.057	0.500	0.495	0.107	0.106
35	2.023	1.994	1.171	1.131	0.075	0.083	-0.052	-0.056	0.521	0.532	0.110	0.110
36	1.602	1.716	1.262	1.189	0.271	0.277	0.209	0.203	0.447	0.441	0.128	0.131

Table 13 shows the corresponding estimated parameter values, again for each industry. As stated above, we extract 50 different sets of parameters, and report in Table 13 only the average and the standard deviation across the 50 sets of parameters. The estimated parameters indicate that the correlation between organizational capital and management practices  $(\rho_{Z,\theta}^s)$ , as well as between firm productivity and management practices  $(\rho_{Z,\theta}^s)$ , is much lower than the correlation between organizational capital and firm productivity  $(\rho_{Z,\mathcal{O}}^s)$ . That is, while the measured value for  $\rho_{Z,\mathcal{O}}^s$  in Table 11 is, on average, 0.4, the estimated values of  $\rho_{Z,\theta}^s$  and  $\rho_{\mathcal{O},\theta}^s$  are very close to zero, sometimes even negative. This is an indication that the assumption in our theoretical model that firm productivity and management practices are drawn from two independent distributions is likely to be

fulfilled, at least for the case of India.

Furthermore, there are large differences across industries in the cost of adding a new product  $(f^s)$ . We estimate that the higher cost of adding a product is in industries 20 (wood), 26 (other non-metallic mineral), and 28 (fabricated metal products). The lower cost is in industries 15 (food and beverages), 17 (textiles), and 25 (rubber and plastic products).

Table 13: Estimated parameter values.

Ind.	$\mu_{ heta}^{s}$	$\sigma^s_{ heta}$	$ ho^s_{\mathcal{O},  heta}$	$ ho_{Z, heta}^s$	$f^s$	$\sigma_z^s$
15	0.232 (0.002)	0.043 (0.001)	0.222(0.020)	0.139(0.020)	2.211 (0.047)	0.178(0.004)
16	0.205 (0.001)	0.047(0.001)	0.211(0.021)	0.207(0.019)	3.773 (0.141)	0.262(0.003)
17	$0.214\ (0.027)$	0.044(0.007)	0.027(0.021)	0.007 (0.017)	2.428(1.220)	0.245 (0.023)
18	$0.239\ (0.002)$	$0.061\ (0.002)$	0.094 (0.022)	0.029 (0.013)	$5.320 \ (0.072)$	$0.139\ (0.000)$
19	0.211 (0.002)	0.085 (0.002)	$0.103 \ (0.023)$	-0.033 (0.025)	$4.721\ (0.068)$	$0.160 \ (0.001)$
20	$0.185 \ (0.002)$	$0.068 \; (0.002)$	$0.110 \ (0.021)$	0.087 (0.017)	6.917 (0.111)	$0.182\ (0.002)$
21	$0.214\ (0.031)$	0.059 (0.013)	-0.002 (0.022)	0.005 (0.018)	4.535 (1.653)	0.205 (0.047)
22	$0.220 \ (0.002)$	$0.073 \ (0.002)$	$0.228 \ (0.021)$	0.195 (0.017)	$4.594 \ (0.068)$	0.147 (0.001)
23	$0.203 \ (0.005)$	$0.051 \ (0.002)$	$0.243 \ (0.027)$	$0.043 \ (0.023)$	4.955 (0.235)	$0.206 \ (0.007)$
24	$0.243 \ (0.006)$	0.092 (0.008)	$0.133 \ (0.023)$	$0.071 \ (0.022)$	3.975 (0.145)	$0.102 \ (0.008)$
25	$0.242 \ (0.003)$	0.099 (0.003)	$0.182\ (0.019)$	0.107 (0.021)	$3.331 \ (0.063)$	$0.132\ (0.001)$
26	$0.191\ (0.002)$	$0.064\ (0.001)$	0.147 (0.022)	$0.106 \ (0.020)$	5.970 (0.092)	$0.212\ (0.001)$
27	$0.209 \ (0.049)$	$0.038 \ (0.019)$	$0.040 \ (0.024)$	$0.006 \ (0.020)$	3.780 (1.887)	$0.245 \ (0.083)$
28	$0.186\ (0.002)$	$0.054 \ (0.001)$	$0.133 \ (0.022)$	$0.045 \ (0.025)$	$5.861 \ (0.123)$	$0.231\ (0.003)$
29	0.187 (0.002)	$0.060 \ (0.001)$	0.145 (0.020)	$0.130 \ (0.018)$	5.145 (0.063)	$0.200 \ (0.003)$
31	$0.198 \ (0.002)$	$0.063\ (0.002)$	$0.128 \; (0.022)$	$0.090 \ (0.021)$	4.675 (0.076)	$0.191\ (0.002)$
32	$0.221\ (0.005)$	$0.064 \ (0.004)$	$0.131\ (0.022)$	$0.022 \ (0.025)$	3.345 (0.135)	0.157 (0.009)
33	$0.209 \ (0.016)$	0.059 (0.006)	0.122(0.027)	$0.011 \ (0.023)$	4.676 (0.424)	0.165 (0.030)
34	0.210 (0.002)	$0.052 \ (0.001)$	$0.083 \ (0.022)$	$0.062 \ (0.021)$	$4.181 \ (0.074)$	$0.193 \ (0.002)$
35	$0.174 \ (0.004)$	$0.058 \ (0.002)$	$0.080 \ (0.022)$	-0.051 (0.024)	$4.831 \ (0.182)$	$0.263 \ (0.007)$
36	$0.205 \ (0.002)$	$0.069 \ (0.003)$	$0.283 \ (0.018)$	$0.212\ (0.017)$	$5.208 \ (0.097)$	$0.158 \ (0.003)$

Standard deviation of parameters shown in parentheses.

Results - We estimate the effect of different scenarios on welfare, where we estimate welfare using the utility function in equations (7) and (8). We use the expenditure shares of each industry in the ASI data to approximate the weights of each industry in the utility function,  $\kappa_s$ . Sector price indices  $P_s$  are endogenous and adjust in each scenario. However, we assume that the overall expenditure E is rigid and does not adjust. We calculate the change in welfare as  $\Delta_U\% = (U_a - U_b)/U_b \times 100$ , where  $U_a$  is the welfare in scenario a and  $U_b$  is the welfare in the benchmark simulation. The welfare values that we attribute to each industry refer to  $U_s$  in equation (8).<sup>19</sup> We explore five different scenarios and present

 $<sup>^{19}</sup>$ Note that we talk about change in industry welfare as shorthand for the change in the contribution of the industry to welfare.

the welfare effects of these scenarios in Table 14.

The first scenario, *Deres*, is the true de-reservation episode, in which we increase the number of firms in each industry following equation (29). The total increase in welfare is small, of 0.29%. However, there is large heterogeneity across industries, as the de-reservation affected especially industries 18 (wearing apparel) and 19 (leather). In these two industries, the welfare gains are 3.9% and 3.46%, respectively. To put these effects into perspective, Caliendo and Parro (2015) estimate an increase in Mexico's welfare from NAFTA of 1.32%, and an increase of just 0.08% in the US. Similarly, Zi (2025) estimates that trade liberalization increases China's welfare by 0.72%.

The second scenario,  $\theta^{US}$  + Deres, explores how management practices shape the aggregate response of welfare to de-reservation. It also utilizes the true de-reservation episode, but increases the estimated management practices to match that of the US in both the benchmark and the scenario. While the welfare increase is still small (0.39%), it is around 36% larger than in the first scenario. Comparing the most affected industries (18 and 19) across the two scenarios shows that, had the de-reservation episode happened in an environment with better management practices, such as the US, the effect would have been 19% and 45% larger, respectively.

In the third scenario, *All Deres*, we show the welfare increase if the de-reservation affected all products in all industries. There are two important results from this scenario. First, the welfare effect would be much larger, 4.71%, indicating that the share of the Indian manufacturing sector affected by the de-reservation policy was relatively small. Second is that there is still sector heterogeneity left even if we assume that the intensity of the de-reservation was the same across industries, with the welfare effect ranging between 4.6% and 4.9%.

The fourth scenario,  $\theta^{Ind}$  to  $\theta^{US}$ , explores the effect of an increase in management practices, independent of the de-reservation. Specifically, we increase our estimates of management practices to match those of the US, as in the second scenario, but keep the original management practices estimates in the benchmark. The effect of the increase is orders of magnitude larger than in the case of de-reservation, with an aggregated welfare increase of 82.26%. This result relates to the finding in Bloom et al. (2013) that Indian

 $<sup>^{20}\</sup>text{We}$  do so by comparing the management score measure in the World Management Survey for the US and India. Specifically, for each industry in the World Management Survey, we calculate  $\Delta_{US_s} = MS_s^{US}/MS_s^{India}$ , where MS refers to the management score measure in each sector-country, and then multiply the measures of  $\theta$  in our simulated data by  $\Delta_{US_s}$ .

firms increased their productivity by 17% after one year of managerial training. Our results indicate that the (welfare) gains could be even larger if management practices were increased to the US level. We interpret this as an indication that policies targeting an improvement in management practices might be more important than policies targeting market liberalization, such as the de-reservation policy in India. Note, however, that both policies might go hand-in-hand, as one of the effects of the de-reservation policy in India was also to open the market to firms with better management practices.

Finally, the fifth scenario,  $\theta^{Ind}$  to  $\theta^{US}$  + Deres, adds the de-reservation episode to the previous scenario. As expected, the total welfare effects change only slightly, from 82.26% to 82.79%, and are similar to adding the welfare effects from the second and the fourth scenarios.

Table 14: Simulation results.

T., J	(1)	$\begin{array}{ c c } \hline (2) \\ \theta^{US} + \mathbf{Deres} \\ \hline \end{array}$	(3)	$\begin{array}{ c c c c }\hline (4) \\ \theta^{Ind} \ \mathbf{to} \ \theta^{US} \\ \end{array}$	$\begin{array}{ c c c }\hline (5) \\ \theta^{Ind} \text{ to } \theta^{US} + \text{Deres} \end{array}$
Ind	Deres	$\theta^{US} + \text{Deres}$	All Deres	θεια το θες	$\theta^{\text{res}}$ to $\theta^{\text{es}}$ + Deres
15	0.481	0.576	4.712	57.773	58.565
16	0.000	0.000	4.710	173.656	173.656
17	0.064	0.120	4.713	157.013	157.183
18	3.900	4.660	4.660	28.349	33.990
19	3.461	5.033	4.705	44.829	50.758
20	0.274	0.488	4.790	64.729	65.267
21	0.352	0.539	4.857	111.887	112.747
22	0.059	0.083	4.716	36.594	36.690
23	0.000	0.000	4.688	86.409	86.409
24	0.200	0.245	4.603	16.462	16.744
25	0.624	0.778	4.688	27.811	28.731
26	0.251	0.362	4.730	85.127	85.692
27	0.158	0.292	4.716	162.041	162.509
28	0.459	0.680	4.768	101.715	102.866
29	0.302	0.501	4.768	82.541	83.209
31	0.191	0.284	4.746	69.000	69.383
32	0.033	0.042	4.688	42.372	42.425
33	0.146	0.219	4.700	53.948	54.199
34	0.000	0.000	4.796	73.522	73.522
35	0.410	0.751	4.894	186.317	187.725
36	0.467	0.657	4.717	43.175	43.949
Total	0.289	0.394	4.707	82.260	82.795

The benchmark in column (2) already uses the management practices of the US. All values are in percentage changes.

### 8 Conclusion

This paper highlights the critical role of management practices in shaping firm responses to increased competition, particularly in a developing economy such as India. Using a theoretical model and India's de-reservation policy as a quasi-natural experiment, this paper shows that firms with better management practices are less adversely affected by the increase in competition that followed after de-reservation. This effect is explained by these firms being specialized in fewer, more productive, products, which makes them less vulnerable to changes in competition. Our findings underscore the importance of management practices in determining the effects of competition on firm output and product scope.

Our simulation results show a 0.29% increase in welfare from the de-reservation policy. The same policy in an environment with better management practices would have increased welfare by 0.39%. Increasing our estimate of management practices to match those in the US, we estimate an 82.26% welfare gain, which is orders of magnitude larger than in the case of de-reservation. We interpret it as evidence that policies targeting the improvement of management practices might be more important to improve aggregate welfare than policies targeting market liberalization. This result reinforces the findings by Bloom et al. (2013), who showed that providing training to managers has increased the productivity of Indian firms by 17% after one year.

Our paper has important implications for policymakers. One way to boost firms' management practices would be to provide free public managerial training programs on basic operations such as quality control and inventory. Additionally, a competitive incentive package from the board of directors could also improve managerial performance. Another way to encourage managerial learning could be by establishing mobility programs between managers of firms in developed and developing countries. Further research is needed to identify which of the potential policies for improving managerial practices are the most optimal in increasing welfare in developing countries, taking into account the unique features of each country, such as the level of human capital, institutional development, and the distance from the technological frontier.

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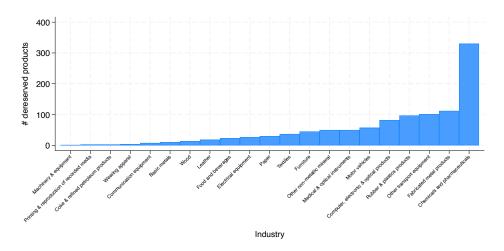
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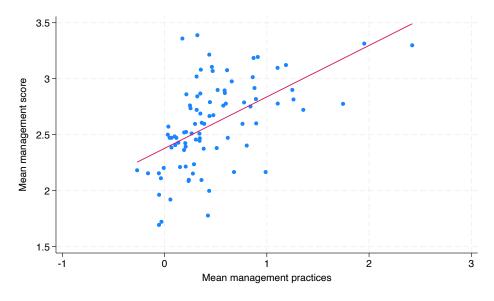
# A Figures

Figure A.1: Number of de-reserved products by industry.



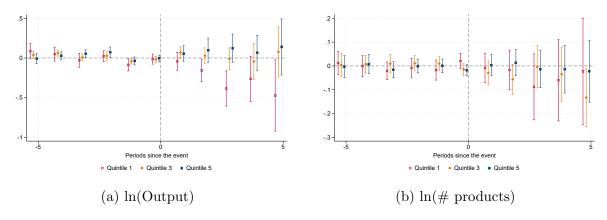
Note: Data on the number of de-reserved products is taken from Martin et al. (2017).

Figure A.2: Correlation between management score and measured management practices.



Note: Correlation graph between the average management score and management practices measured as a residual of equation (24). Management score data is taken from the World Management Survey constructed by Bloom et al. (2012). Bins are 2-digit industry and employment categories for (i) 50-100, (ii) 101-250, (iii) 251-500, (iv) 501-1000, and (v) 1000+ employees.

Figure A.3: Event study using Callaway and Sant'Anna (2021) by quintiles of management practices.



Note: The graph depicts the point estimates with 95% confidence intervals of de-reservation on log output in Panel (a) and log number of products in Panel (b) by quintiles of management practices. Callaway and Sant'Anna (2021) estimator is applied using inverse probability weighting difference-in-differences estimator with stabilized weights. The regression controls for firm and year fixed effects.

# B Tables

Table B.1: Stylized facts at the product-level controlling for time trend.

	(1)	(2)	(3)
	$Added_{jit}$	$Added_{jit}$	$Added_{jit}$
Panel A:			
$Post_{it}$	-0.015**	0.011	0.000
	(0.007)	(0.007)	(.)
Time relative to de-reservation	-0.001	0.002	0.007***
	(0.001)	(0.002)	(0.002)
$Post_{it} \times reserved_i$		-0.075***	-0.075***
•		(0.011)	(0.014)
Panel B:			
$Incumbent_i \times Post_{it}$	-0.026***	0.005	0.000
	(0.007)	(0.008)	(.)
$Entrant_i \times Post_{it}$	0.072***	0.061***	0.000
	(0.016)	(0.017)	(.)
Time relative to de-reservation	-0.001	0.001	0.005**
	(0.001)	(0.002)	(0.002)
$Incumbent_i \times Post_{it} \times reserved_i$		-0.082***	-0.082***
, see the second		(0.011)	(0.015)
$Entrant_i \times Post_{it} \times reserved_i$		0.040**	0.026
J. J		(0.016)	(0.019)
N	186120	186120	147809
R-squared	0.421	0.422	0.517
i	$\checkmark$	$\checkmark$	
j	$\checkmark$	$\checkmark$	$\checkmark$
t	$\checkmark$	$\checkmark$	
$i \times t$			<b>√</b>

Standard errors in parentheses

Note: The table reports product-level regressions specified in equation (1). The outcome variable is a binary indicator taking the value of one when the product j is added by firm i at time t.  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved. Time relative to de-reservation is an event time trend that equals the year of de-reservation minus the current year and is always 0 for establishments that never produced de-reserved products.  $Incumbent_i$  is a binary indicator taking the value of one if an firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved, I is dummy indicator for whether or not the product I is reserved. Columns (1) and (2) include firm, product, year fixed effects, column (3) includes product, firm-year fixed effects. Standard errors are clustered at the firm level.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table B.2: Stylized facts at the firm-level controlling for time trend.

	(1) $ln(outnut)$	$(2) \\ ln(\#products_{it})$
		$\frac{m(\pi p roa accos_{it})}{}$
Panel A:		
$Post_{it}$	0.028**	-0.013**
	(0.013)	(0.006)
Time relative to de-reservation	-0.002	0.000
	(0.003)	(0.001)
Panel B:		
$Incumbent_i \times Post_{it}$	-0.008	-0.034***
	(0.013)	(0.006)
$Entrant_i \times Post_{it}$	0.241***	0.114***
	(0.033)	(0.016)
Time relative to de-reservation	-0.004	0.000
	(0.003)	(0.001)
N	234012	201733
R-squared	0.930	0.819
i, t	√	√ √

Standard errors in parentheses

Note: The table reports firm-level regressions specified in equations (3) and (4). The outcome variable is the log number of products produced by firm i at time t, and log of output.  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved. Time relative to de-reservation is an event time trend that equals the year of de-reservation minus the current year and is always 0 for establishments that never produced de-reserved products.  $Incumbent_i$  is a binary indicator taking the value of one if an firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) and (2) include firm and year fixed effects. Standard errors are clustered at the firm level.

#### B.1 Pre-trends test

To test for no pre-trends, we follow Martin et al. (2017) and run a product-level regression, where de-reservation dummy is regressed on lagged, first difference changes in the product-level outcomes of interest. Having no statistically significant effect suggests that product de-reservation did not occur as a response to changes in employment, output, capital or the number of firms. Since some products are not observed every year, we calculate the lagged first difference by taking the outcome in the previous period observed minus the outcome in the prior period observed and dividing by the gap. For de-reserved products, the sample is limited to years up to the de-reservation year in order to not include the effects of de-reservation. All regressions include product and year fixed effects. Table B.4 shows that the coefficients are close to 0 and are statistically insignificant, suggesting that there are no significant pre-trends.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table B.3: Estimation results of de-reservation on changes in organizational capital.

	$\Delta \mathcal{O}_{it}$	$\begin{array}{c} (2) \\ \Delta \mathcal{O}_{it} \end{array}$
$Post_{it}$	$0.000 \\ (0.000)$	
Incumbent $\times Post_{it}$		$0.000 \\ (0.000)$
Entrant $\times Post_{it}$		0.001 $(0.001)$
N R-squared	70982 0.371	70982 0.371
i, t	0.571 ✓	0.571 ✓

Standard errors in parentheses

Note: The table reports firm-level regressions of changes in organizational capital on de-reservation. The outcome variable is the first difference of log organizational capital as calculated in equation (19).  $Post_{it}$  is a binary indicator taking the value of one when a firm's main reserved product has been de-reserved.  $Incumbent_i$  is a binary indicator taking the value of one if a firm i's main product was a reserved product before it became de-reserved.  $Entrant_i$  is a binary indicator that takes the value of one if a firm i's main product was a reserved product after de-reservation, but was never produced before it became de-reserved. Columns (1) and (2) include firm and year fixed effects. Standard errors are clustered at the firm level.

Table B.4: Pre-trends test at the product level.

$\begin{array}{c ccccccccccccccccccccccccccccccccccc$					
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		\ /	` '	` ,	` '
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$- Lag \Delta Labor_{it}$				
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Lag $\Delta Output_{it}$				
N 20870 20870 20851 20937 R-squared 0.019 0.019 0.019 0.019	$\text{Lag } \Delta Capital_{it}$				
R-squared 0.019 0.019 0.019 0.019	Lag $\Delta Firms_{it}$				
	N		20870	20851	
			0.019	0.019	0.019

Standard errors in parentheses

Note: The table reports product-level regressions of de-reservation on lagged first difference changes in labor, output, capital and number of forms. Since some products are not observed every year, the lagged first difference is calculated by taking the outcome in the previous period observed minus the outcome in the prior period observed and dividing by the gap. The lagged first differences are observed starting from 2002. For de-reserved products, the sample is limited to years before the de-reservation year. Regressions are weighted by initial labor shares. Standard errors are clustered at the product level.

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

<sup>\*</sup> p < 0.1, \*\* p < 0.05, \*\*\* p < 0.01

Table B.5: Industry estimates of the Pareto shape parameter

Industry	Pareto shape parameter
15	0.3277
16	0.2996
17	0.3427
18	0.4401
19	0.3851
20	0.3999
21	0.3610
22	0.3693
23	0.2672
24	0.3491
25	0.3561
26	0.3496
27	0.3376
28	0.3635
29	0.3536
30	0.3077
31	0.3353
32	0.3206
33	0.3600
34	0.3290
35	0.3277
36	0.3062

# C Theory

**Derivation of equation (15)** - Start from the maximization problem in (14), together with the constraint in equation (10):

$$\mathcal{L} = \int_{j \in \Omega_{is}} \pi_{isjt} - f dj + \lambda \left( \mathcal{O}_i - \int_{j \in \Omega_{is}} o_{isjt} dj \right)$$

$$\frac{\partial \mathcal{L}}{\partial o_{isjt}} = \theta_i (\sigma - 1) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} z_{isj}^{\sigma - 1} o_{isjt}^{\theta_i (\sigma - 1) - 1} - \lambda \stackrel{!}{=} 0$$

$$o_{isjt} = \left( \frac{z_{isj}}{z_{isj'}} \right)^{\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}} o_{isj'}$$

$$\mathcal{O}_i = \int_{j \in \Omega_{is}} o_{isjt} dj = \int_{j \in \Omega_{is}} \left( \frac{z_{isj}}{z_{isj'}} \right)^{\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}} o_{isj'} dj$$

$$= z_{isj}^{-\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}} o_{isjt} \int_{j \in \Omega_{is}} z_{isj}^{\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}} dj$$

$$o_{isjt} = \frac{\mathcal{O}_i}{\int_{j \in \Omega_{is}} z_{isj}^{\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}} dj} z_{isj}^{\frac{\sigma - 1}{1 - \theta_i (\sigma - 1)}}$$

where j and j' denote different products.

**Derivation of equation (17)** - Start with the profit per product, after substituting in the optimal  $o_{isjt}$  is:

$$\pi_{isjt} = z_{isj}^{\frac{\sigma-1}{1-\theta_i(\sigma-1)}} E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \left(\frac{\mathcal{O}_i}{B_{it}}\right)^{\theta_i(\sigma-1)}$$
(32)

Use the Pareto distribution to integrate over products in  $B_{it}$  and  $\Pi_{it}$ :

$$B_{it} = M_{s} \int_{z_{ist}}^{\infty} z_{isj}^{\frac{\sigma-1}{1-\theta_{i}(\sigma-1)}} f(z)dz$$

$$= M_{s} \frac{\gamma_{s} z_{ist}^{\frac{\sigma-1}{1-\theta_{i}(\sigma-1)} - \gamma_{s}}}{\gamma_{s} - \frac{\sigma-1}{1-\theta_{i}(\sigma-1)}}$$

$$= \int_{j \in \Omega_{is}} z_{isj}^{\frac{\sigma-1}{1-\theta_{i}(\sigma-1)}} E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \left(\frac{\mathcal{O}_{i}}{B_{it}}\right)^{\theta_{i}(\sigma-1)} - f dj$$

$$= E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \mathcal{O}_{i}^{\theta_{i}(\sigma-1)} B_{it}^{1-\theta_{i}(\sigma-1)} - (1 - F(z_{ist})) M_{s} f$$

$$= E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \mathcal{O}_{i}^{\theta_{i}(\sigma-1)} \left(\frac{\gamma_{s} M_{s}}{\gamma_{s} - \frac{\sigma-1}{1-\theta_{i}(\sigma-1)}}\right)^{1-\theta_{i}(\sigma-1)} z_{ist}^{(\sigma-1)(1+\gamma_{s}\theta_{i})-\gamma_{s}} - f M_{s} z_{ist}^{-\gamma_{s}}$$

where  $M_s$  is the number of products produced in sector s, i.e.  $M_s = |\Omega_s|$  and we used

equation (15) and the definition of  $B_{it}$  to rewrite the overall profit.

Finally, the FOC of the maximization problem in (16):

$$\begin{split} \frac{\partial \Pi_{it}}{\partial z_{ist}} &= ((\sigma - 1)(1 + \gamma_s \theta_i) - \gamma_s) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} \left( \gamma_{1is} M_s \right)^{1 - \theta_i(\sigma - 1)} \underline{z}_{ist}^{(\sigma - 1)(1 + \gamma_s \theta_i) - \gamma_s - 1} \\ &\quad + \gamma_s f M_s z_{ist}^{-\gamma_s - 1} \stackrel{!}{=} 0 \\ \underline{z}_{ist}^{(\sigma - 1)(1 + \gamma_s \theta_i)} &= \frac{\gamma_{1is} f M_s}{(1 - \theta_i(\sigma - 1)) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} \left( \gamma_{1is} M_s \right)^{1 - \theta_i(\sigma - 1)}} \\ \underline{z}_{ist} &= \left[ \frac{(\gamma_{1is} M_s)^{\theta_i(\sigma - 1)} f}{(1 - \theta_i(\sigma - 1)) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)}} \right]^{\frac{1}{(\sigma - 1)(1 + \gamma_s \theta_i)}} \end{split}$$

where  $\gamma_{1is} = \frac{\gamma_s}{\gamma_s - \frac{\sigma - 1}{1 - \theta_i(\sigma - 1)}}$ 

**Derivation of equation (18)** - Starting from firm profit:

$$\begin{split} \Pi_{it} &= E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \mathcal{O}_{i}^{\theta_{i}(\sigma-1)} \left(\gamma_{1is} M_{s}\right)^{1-\theta_{i}(\sigma-1)} \mathcal{Z}_{ist}^{(\sigma-1)(1+\gamma_{s}\theta_{i})-\gamma_{s}} - f M_{s} \mathcal{Z}_{ist}^{-\gamma_{s}} \\ &= E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \left(\gamma_{1is} M_{s}\right)^{1-\theta_{i}(\sigma-1)} \left[ \frac{(\gamma_{1is} M_{s})^{\theta_{i}(\sigma-1)} f}{(1-\theta_{i}(\sigma-1)) E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1}} \right]^{1-\frac{\gamma_{s}}{(\sigma-1)(1+\gamma_{s}\theta_{i})}} \mathcal{O}_{i}^{\frac{\gamma_{s}\theta_{i}}{1+\gamma_{s}\theta_{i}}} \\ &- f M_{s} \left[ \frac{(\gamma_{1is} M_{s})^{\theta_{i}(\sigma-1)} f}{(1-\theta_{i}(\sigma-1)) E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1}} \right]^{-\frac{\gamma_{s}}{(\sigma-1)(1+\gamma_{s}\theta_{i})}} \mathcal{O}_{i}^{\frac{\gamma_{s}\theta_{i}}{1+\gamma_{s}\theta_{i}}} \\ &= \left( E_{st}^{\frac{1}{\sigma-1}} Z_{it} P_{st} \right)^{\frac{\gamma_{s}}{1+\gamma_{s}\theta_{i}}} f^{1-\frac{\gamma_{s}}{(\sigma-1)(1+\gamma_{s}\theta_{i})}} M_{s}^{\frac{1}{1+\gamma_{s}\theta_{i}}} \mathcal{O}_{i}^{\frac{\gamma_{s}\theta_{i}}{1+\gamma_{s}\theta_{i}}} \\ &\times \left[ \frac{(\gamma_{1is})^{\theta_{i}(\sigma-1)}}{(1-\theta_{i}(\sigma-1))} \right]^{-\frac{\gamma_{s}}{(\sigma-1)(1+\gamma_{s}\theta_{i})}} \left( \frac{\gamma_{1is}}{(1-\theta_{i}(\sigma-1))} - 1 \right) \\ &= X_{1ist} \mathcal{O}_{i}^{\frac{\gamma_{s}\theta_{i}}{1+\gamma_{s}\theta_{i}}} \end{split}$$

where 
$$X_{1ist} = \left(E_{st}^{\frac{1}{\sigma-1}} Z_{it} P_{st}\right)^{\frac{\gamma_s}{1+\gamma_s \theta_i}} f^{1-\frac{\gamma_s}{(\sigma-1)(1+\gamma_s \theta_i)}} M_s^{\frac{1}{1+\gamma_s \theta_i}} \left[\frac{(\gamma_{1is})^{\theta_i(\sigma-1)}}{(1-\theta_i(\sigma-1))}\right]^{-\frac{\gamma_s}{(\sigma-1)(1+\gamma_s \theta_i)}} \left(\frac{\gamma_{1is}}{(1-\theta_i(\sigma-1))} - 1\right).$$

# D Proofs

It is useful to express  $B_{it}$  in terms of model parameters and the organizational capital using the optimal productivity threshold from equation (17):

$$B_{it} = M_s \gamma_{1is} \left[ \frac{(\gamma_{1is} M_s)^{\theta_i(\sigma - 1)} f}{(1 - \theta_i(\sigma - 1)) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)}} \right]^{\frac{1}{(\sigma - 1)(1 + \gamma_s \theta_i)} (\frac{\sigma - 1}{1 - \theta_i(\sigma - 1)} - \gamma_s)}$$

$$= (M_s \gamma_{1is})^{\frac{1}{(1 - \theta_i(\sigma - 1))(1 + \gamma_s \theta_i)}} \left[ \frac{f}{(1 - \theta_i(\sigma - 1)) E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)}} \right]^{\frac{(\sigma - 1)(1 + \gamma_s \theta_i) - \gamma_s}{(1 - \theta_i(\sigma - 1))(\sigma - 1)(1 + \gamma_s \theta_i)}}$$

Denote the total revenues of a firm by  $R_{it}$ :

$$\begin{split} R_{it} &= M_s \int_{z_{ist}}^{\infty} r_{isjt} f(z) dz = M_s \int_{z_{ist}}^{\infty} p_{isjt} q_{isjt} f(z) dz \\ &= \sigma E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} B_{it}^{1 - \theta_i(\sigma - 1)} \\ &= \sigma E_{st}^{\frac{\gamma_s}{(\sigma - 1)(1 + \gamma_s \theta_i)}} P_{st}^{\frac{\gamma_s}{1 + \gamma_s \theta_i}} Z_{it}^{\frac{\gamma_s}{1 + \gamma_s \theta_i}} \mathcal{O}_i^{\frac{\gamma_s \theta_i}{1 + \gamma_s \theta_i}} (M_s \gamma_{1is})^{\frac{1}{1 + \gamma_s \theta_i}} \left[ \frac{f}{(1 - \theta_i(\sigma - 1))} \right]^{\frac{(\sigma - 1)(1 + \gamma_s \theta_i) - \gamma_s}{(\sigma - 1)(1 + \gamma_s \theta_i)}} \end{split}$$

**Proof Proposition 1** - Start from total revenues, denoted by  $R_{it}$ :

$$R_{it} = \sigma E_{st}^{\frac{\gamma_s}{(\sigma-1)(1+\gamma_s\theta_i)}} P_{st}^{\frac{\gamma_s}{1+\gamma_s\theta_i}} Z_{it}^{\frac{\gamma_s}{1+\gamma_s\theta_i}} \mathcal{O}_i^{\frac{\gamma_s\theta_i}{1+\gamma_s\theta_i}} (M_s\gamma_{1is})^{\frac{1}{1+\gamma_s\theta_i}} \left[ \frac{f}{(1-\theta_i(\sigma-1))} \right]^{\frac{(\sigma-1)(1+\gamma_s\theta_i)-\gamma_s}{(\sigma-1)(1+\gamma_s\theta_i)}}$$

The elasticity with respect to  $P_i$ :

$$\frac{\partial R_{it}}{\partial P_{st}} \frac{P_{st}}{R_{it}} = \frac{\gamma_s}{1 + \theta_i \gamma_s}$$

which is positive. That is, as firms face stronger competition in a sector ( $P_{st}$  decreases) they decrease their revenues. Furthermore, note that, when  $\theta_i = 0$  the elasticity is  $\gamma_s$ .

Now, take the derivative of the elasticity with respect to the management practices:

$$\frac{\partial \left| \frac{\partial R_{it}}{\partial P_r} \frac{P_r}{R_{it}} \right|}{\partial \theta_i} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} \tag{34}$$

which is negative.

For the second part of proposition 1, the elasticity of the number of products  $(N_{ist} =$ 

 $(1 - F(z_{ist}))M_s)$  with respect to a change in the price index  $P_{st}$ :

$$\frac{\partial N_{ist}}{\partial P_{st}} \frac{P_{st}}{N_{ist}} = -\gamma_s \underline{z}_{ist}^{-\gamma_s - 1} M_s \frac{\partial \underline{z}_{ist}}{\partial P_{st}} \frac{P_{st}}{\underline{z}_{ist}^{-\gamma_s} M_s} = -\gamma_s \frac{\partial \underline{z}_{ist}}{\partial P_{st}} \frac{P_{st}}{\underline{z}_{ist}} = \frac{\gamma_s}{1 + \theta_i \gamma_s}$$

which is positive. That is, as incumbent firms face stronger competition in a sector  $(P_{st} \text{ decreases})$  they decrease the number of products they produce, dropping their less productive products (i.e. increasing their productivity threshold), and concentrating their organizational capital on their more productive products. Again, when  $\theta_i = 0$  the elasticity is  $\gamma_s$ .

Finally, taking the derivative of the elasticity with respect to the management practices:

$$\frac{\partial \left| \frac{\partial N_{ist}}{\partial P_r} \frac{P_r}{N_{ist}} \right|}{\partial \theta_i} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} \tag{35}$$

which is negative. Firms with better management practices react less to changes in the price index.

**Proof Lemma 1** - Start from total revenues, denoted by  $R_{it}$ :

$$R_{it} = \sigma E_{st}^{\frac{\gamma_s}{(\sigma-1)(1+\gamma_s\theta_i)}} P_{st}^{\frac{\gamma_s}{1+\gamma_s\theta_i}} Z_{it}^{\frac{\gamma_s}{1+\gamma_s\theta_i}} \mathcal{O}_i^{\frac{\gamma_s\theta_i}{1+\gamma_s\theta_i}} (M_s\gamma_{1is})^{\frac{1}{1+\gamma_s\theta_i}} \left[ \frac{f}{(1-\theta_i(\sigma-1))} \right]^{\frac{(\sigma-1)(1+\gamma_s\theta_i)-\gamma_s}{(\sigma-1)(1+\gamma_s\theta_i)}}$$

The elasticity with respect to  $Z_{it}$ :

$$\frac{\partial R_{it}}{\partial Z_{it}} \frac{Z_{it}}{R_{it}} = \frac{\gamma_s}{1 + \theta_i \gamma_s}$$

which is positive. That is, as the number of products available for production increases, their revenues increase.

Taking the derivative of the elasticity with respect to the management practices:

$$\frac{\partial \left| \frac{\partial R_{it}}{\partial Z_{it}} \frac{Z_{it}}{R_{it}} \right|}{\partial \theta_i} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} \tag{36}$$

which is negative.

For the increase in the number of products for entrants, we look at the elasticity of the number of products  $(N_{ist} = (1 - F(z_{ist}))M_s)$  with respect to a change in the number

of products  $M_s$ :

$$\frac{\partial N_{ist}}{\partial Z_{it}} \frac{Z_{it}}{N_{ist}} = -\gamma_s z_{ist}^{-\gamma_s - 1} M_s \frac{\partial z_{ist}}{\partial Z_{it}} \frac{Z_{it}}{z_{ist}^{-\gamma_s} M_s} = -\gamma_s \frac{\partial z_{ist}}{\partial P_{st}} \frac{P_{st}}{z_{ist}} = \frac{\gamma_s}{1 + \theta_i \gamma_s}$$

which is positive. Hence, firms increase the number of products following de-reservation.

Taking the derivative of the elasticity with respect to the management practices:

$$\frac{\partial \left| \frac{\partial N_{ist}}{\partial Z_{it}} \frac{Z_{it}}{N_{ist}} \right|}{\partial \theta_i} = -\frac{\gamma_s^2}{(1 + \theta_i \gamma_s)^2} \tag{37}$$

which is negative.

### **E** Simulation

We use in the simulation a version of the model in which the product-level productivity draws, G(z), are distributed log-normal instead of a Pareto distribution as in the theoretical model. Here we show the more general version of the model we use in the simulation, where the integral over z is solved numerically.

Consumer's utility and aggregated demand are unchanged:

$$\begin{split} U_t &= \sum_s \kappa_s \log U_{st} \\ U_{st} &= \left( \int_{i \in \Lambda_s} \int_{j \in \Omega_{is}} q_{isjt}^{\frac{\sigma - 1}{\sigma}} dj di \right)^{\frac{\sigma}{\sigma - 1}} \\ q_{isjt} &= \kappa_s E_t P_{st}^{\sigma - 1} p_{isjt}^{-\sigma} \end{split}$$

The profit from producing a product j and the maximization problem are unchanged:

$$\pi_{isjt} = E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} z_{isj}^{\sigma - 1} o_{isjt}^{\theta_i(\sigma - 1)}$$

$$\Pi_{ist} = \arg \max_{\{z_{ist}\}} E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} B_{it}^{1 - \theta_i(\sigma - 1)} - f(1 - F(\underline{z}_{ist})) M_s$$

The optimal threshold is identified by solving:

$$\begin{split} \frac{\partial \Pi_{ist}}{\partial \underline{z}_{ist}} &= -E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{\theta_i(\sigma-1)} (1 - \theta_i(\sigma-1)) M_s \underline{z}_{ist}^{\frac{\sigma-1}{1 - \theta_i(\sigma-1)}} f(\underline{z}_{ist}) + f M_s f(\underline{z}_{ist}) \stackrel{!}{=} 0 \\ 0 &= f - (1 - \theta_i(\sigma-1)) E_{st} P_{st}^{\sigma-1} Z_{it}^{\sigma-1} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{\theta_i(\sigma-1)} \underline{z}_{ist}^{\frac{\sigma-1}{1 - \theta_i(\sigma-1)}} \end{split}$$

We find the optimal  $z_{ist}$  by finding the root of the equation above, solving  $B_{it} = M_s \int_{z_{ist}}^{\infty} z_{isj}^{\frac{\sigma-1}{1-\theta_i(\sigma-1)}} f(z) dz$  numerically.

With the optimal  $\underline{z}_{ist}$  and the corresponding  $B_{it}$ , we can solve for product-level prices, firm-level revenues, and firm-level number of products:

$$p_{ijt} = \frac{\sigma}{\sigma - 1} Z_{it}^{-1} Z_{isj}^{-\frac{1}{1 - \theta_i(\sigma - 1)}} \left(\frac{\mathcal{O}_i}{B_{it}}\right)^{-\theta_i}$$

$$R_{it} = \sigma E_{st} P_{st}^{\sigma - 1} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} B_{it}^{1 - \theta_i(\sigma - 1)}$$

$$N_{it} = (1 - F(z_{ist})) M_s$$

We compute  $P_{st}$  and iterate over  $P_{st}$  and  $B_{it}$  until convergence.

$$\begin{split} P_{st} &= \left( \int_{i \in \Lambda_s} \int_{j \in \Omega_{is}} p_{isjt}^{1-\sigma} dj di \right)^{\frac{1}{1-\sigma}} \\ &= \left( \int_{i \in \Lambda_s} M_s \int_{z_{ist}}^{\infty} p_{isjt}^{1-\sigma} f(z) dj di \right)^{\frac{1}{1-\sigma}} \\ &= \left( \int_{i \in \Lambda_s} M_s \int_{z_{ist}}^{\infty} \left( \frac{\sigma}{\sigma - 1} Z_{it}^{-1} z_{isj}^{-\frac{1}{1-\theta_i(\sigma - 1)}} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{-\theta_i} \right)^{1-\sigma} f(z) dj di \right)^{\frac{1}{1-\sigma}} \\ &= \left( \int_{i \in \Lambda_s} \left( \frac{\sigma}{\sigma - 1} \right)^{1-\sigma} Z_{it}^{\sigma - 1} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{\theta_i(\sigma - 1)} M_s \int_{z_{ist}}^{\infty} z_{isj}^{\frac{\sigma - 1}{1-\theta_i(\sigma - 1)}} f(z) dj di \right)^{\frac{1}{1-\sigma}} \\ &= \left( \int_{i \in \Lambda_s} \left( \frac{\sigma}{\sigma - 1} \right)^{1-\sigma} Z_{it}^{\sigma - 1} \mathcal{O}_i^{\theta_i(\sigma - 1)} B_{it}^{1-\theta_i(\sigma - 1)} di \right)^{\frac{1}{1-\sigma}} \end{split}$$

To compute the standard deviation of products within firms, we use the output of a

product, which is given by:

$$r_{isjt} = p_{isjt}q_{isjt} = \kappa_s E_t P_{st}^{\sigma-1} p_{isjt}^{1-\sigma} = \kappa_s E_t P_{st}^{\sigma-1} \left( \frac{\sigma}{\sigma - 1} \frac{1}{Z_{it} z_{isj}} o_{isjt}^{\theta_i} \right)^{1-\sigma}$$

$$= \kappa_s E_t P_{st}^{\sigma-1} \left( \frac{\sigma}{\sigma - 1} \frac{1}{Z_{it}} \right)^{1-\sigma} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{\theta_i(\sigma-1)} z_{isj}^{\frac{\sigma-1}{1-\theta_i(\sigma-1)}}$$

$$= X_{ist} z_{isj}^{\frac{\sigma-1}{1-\theta_i(\sigma-1)}}$$

where 
$$X_{ist} = \kappa_s E_t P_{st}^{\sigma-1} \left( \frac{\sigma}{\sigma-1} \frac{1}{Z_{it}} \right)^{1-\sigma} \left( \frac{\mathcal{O}_i}{B_{it}} \right)^{\theta_i(\sigma-1)}$$
.

Take logs and assuming  $\log X_{ist}$  and  $\log z_{isj}$  are independent:

$$\log r_{isjt} = \log X_{ist} + \frac{\sigma - 1}{1 - \theta_i(\sigma - 1)} \log z_{isj}$$

$$Var(\log r_{isj}) = \left(\frac{\sigma - 1}{1 - \theta_i(\sigma - 1)}\right)^2 Var(\log z_{isj})$$

$$SD(\log r_{isj}) = \frac{\sigma - 1}{(1 - \theta_i(\sigma - 1))} SD(\log z_{isj})$$

## F Parameterization

Table F.6: External parameters by industry

Ind	$\mu_Z^s$	$\sigma_Z^s$	$\mu^s_{OC}$	$\sigma^s_{OC}$	$\rho^s_{Z,OC}$
15	9.056	1.106	14.931	2.059	0.545
16	12.251	1.415	14.314	2.000	0.747
17	8.681	0.927	15.705	1.751	0.378
18	10.329	0.931	16.105	1.305	0.188
19	8.860	0.802	15.377	1.634	0.120
20	10.503	1.024	13.448	1.794	0.635
21	9.071	0.918	14.792	1.807	0.600
22	11.543	1.312	15.018	1.966	0.696
23	8.096	1.232	15.197	1.956	0.424
24	9.739	1.223	15.569	1.979	0.612
25	7.906	0.881	15.132	1.853	0.299
26	9.736	1.094	13.762	2.312	0.733
27	7.847	0.932	15.253	1.865	0.380
28	7.336	0.888	14.938	1.959	0.067
29	8.995	0.917	15.269	1.935	0.542
31	8.729	1.010	15.412	1.942	0.433
32	7.713	1.056	16.145	1.788	-0.022
33	7.368	1.007	15.493	1.715	0.131
34	7.352	0.862	16.008	1.888	0.319
35	7.824	0.863	15.393	1.907	-0.011
36	10.799	1.306	14.970	1.989	0.594